

## Project Overview

Fire engineering has become increasingly important in recent years because of outdated building design codes. Currently, U.S. Building codes do not consider fire as a design condition and only specify regulatory requirements for fire performance of building components. To improve the safety of buildings, this research studied the temperature distribution within a commonly used structural wall.

## Objective

Analyze the heat transfer within a reinforced concrete wall subjected to the ASTM E119 standard fire time-temperature curve using the finite element code LS-DYNA.

## Problem Statement



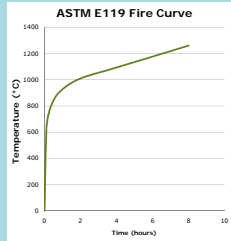
### Structural Wall

- Dimensions – 10ft height, 40in length, 15in thick
- Made of Concrete with a compressive strength of 4.5 ksi
- Reinforced with Steel Rebar with a 3/4in clear cover
  - Vertical Reinforcement – #8 bars equally spaced at 7.3in along the length and 11.3in along the thickness
  - Horizontal Reinforcement – #4 bars spaced 9in along the height
  - Transverse Reinforcement – #4 bars spaced evenly at 7.3in along the length

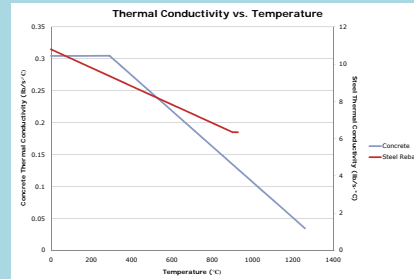
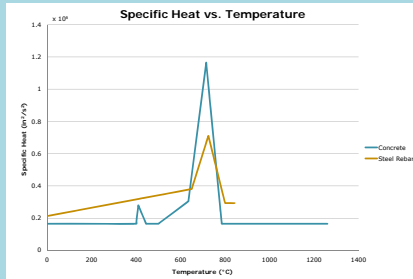
### Conditions

- Load
  - Apply ASTM E119 standard fire curve to the wall from the foundation up 5ft and along the entire length
- Initial Condition:
  - Entire wall is at room temperature (23°C)
- Boundary Conditions:
  - Bottom – Heat Sink
  - All other sides – subject to radiation and convection

$$h = 0.14275 \frac{\text{lb}}{\text{in}\cdot\text{s}\cdot\text{C}}, f = 2.74 \times 10^{-10} \frac{\text{lb}}{\text{in}\cdot\text{s}\cdot\text{K}^4}$$



## Thermal Properties of Concrete and Steel Rebar Materials



## Modes of Heat Transfer

### Conduction

- From conservation of heat energy:
  - rate of increase of heat in V = rate of heat conduction into V across S + rate of heat generation within V

The basic governing equation for a nonlinear transient problem is:

$$\frac{\partial}{\partial x} \left( k(T) \frac{\partial T}{\partial x} \right) + \frac{\partial}{\partial y} \left( k(T) \frac{\partial T}{\partial y} \right) + \frac{\partial}{\partial z} \left( k(T) \frac{\partial T}{\partial z} \right) + Q = \rho c(T) \frac{\partial T}{\partial t}$$

### Natural Convection

- Was considered at the boundary between the concrete wall and the air
- The boundary condition is given by the equation

$$q'' = h(T - T_{\infty})$$

- where h – convection heat transfer coefficient

### Radiation

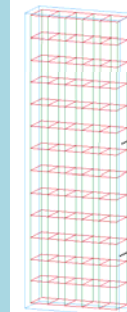
- the energy emitted by the wall to the environment at the wall boundaries

- Taken as a boundary condition, the equation is

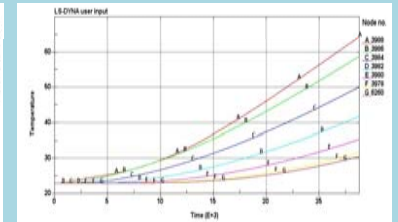
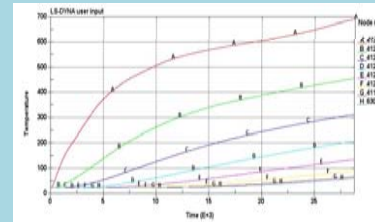
$$q'' = \epsilon \sigma (T_{surf}^4 - T_{\infty}^4)$$

- $\epsilon = \epsilon \sigma$ ,  $\epsilon$ -emissivity and  $\sigma$ -Stefan Boltzmann constant

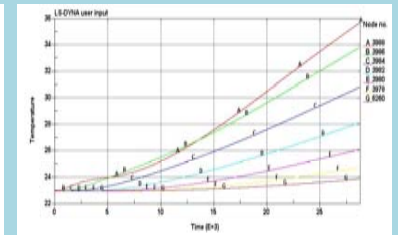
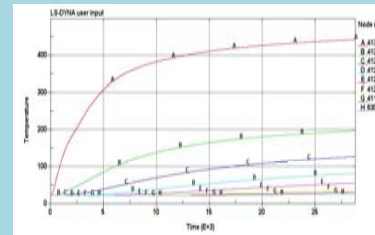
## Results



### Conduction Effects Only



### Conduction, Radiation, and Convection Effects



Top Nodes from Left to Right  
3988, 3986, 3984, 3982, 3980, 3978, 6260

Bottom Nodes from Left to Right  
4130, 4128, 4126, 4124, 4122, 4120, 4118, 6300

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