CSE 30321 - Computer Architecture I - Fall 2009

Lecture 09– In Class Examples

September 22, 2009

Question 1:

for(i=1; i<5; i++) {	<pre>int function(int, int) {</pre>	Assume:
A(i) = B*d(i);	A(i) = A(i-1);	Addr. of $A = 18
if(d(i) >= e) {	e = A(i);	Addr. of $d = 19
<pre>e = function(A,i);</pre>	return e;	B = \$20
}	}	e = \$21
}		

(We pass in starting "address of A" and "i")

Question/Comment	My Solution	Comment
1 st , want to initialize	addi \$16, \$0, 1	# Initialize i to 1
loop variables. What	addi \$17, \$0, 5	# Initialize \$17 to 5
registers should we		
use, how should we		(in both cases, <i>saved</i> registers are used – we
do it?		want this data available post function call)
nd		
2 nd , calculate address	Loop: sll \$8, \$16, 2	# store i*4 in \$8 (temp register OK)
of d(i) and load. What	add \$8, \$19, \$8	# add start of d to i*4 to get address of d(i)
kind of registers	lw \$9, 0(\$8)	# load d(I) \rightarrow needs to be in register to do math
should we use?		
Calculate B*d(i)	mult \$10 \$9 \$20	# store result in temp to write back to memory
	mail \$10, \$5, \$20	
Calculate address of	sll \$11, \$18, 2	# Same as above
A(i)	add \$11, \$11, \$18	
	CANNOT do:	# We overwrote
	add \$11, \$8, \$18	# But, would have been better to save i*4
		Why? Lower CPI
Otore reculting A (i)	aux 0/011) 010	
Store result into A(I)	SW U(\$11), \$10	# Store result into a(i)
Now need to check	slt \$1 \$9 \$22	# Check if \$9 < \$22 (i.e. d(i) < e)
whether or not $d(i) >=$		# Still OK to use $\$9 \rightarrow$ not overwritten
e. How? Assume no		# (temp does not mean goes away immediately)
ble.		
	bne \$0, \$1, start again	# if d(i) < e, \$1 = 1
		# if $d(i) \ge e$, \$1 = 0 (and we want to call function)
		# (if \$1 != 0, do not want to call function)

Given the above setup, what comes next? (Falls through to the next function call). Assume argument registers, what setup code is needed?	add \$4, \$18, \$0 add \$5, \$16, \$0 x: jal function	<pre># load address of (A) into an argument register # load i into an argument register # call function; \$31 ← x + 4 (if x = PC of jal)</pre>	
Finish rest of code: What to do? Copy return value to \$21. Update counter, check counter. Where is "start again" at?	add \$21, \$0, \$2 sa: addi \$16, \$16, 1 bne \$16, \$17, loop	 # returned value reassigned to \$21 # update i by 1 (array index) # if i < 5, loop A better way: Could make array index multiple of 4 	
Function Code			
Assume you will reference A(i-1) with Iw 0(\$x). What 4 instruction sequence is required?	func: subi \$5, \$5, 1 sll \$8, \$5, \$2 add \$9, \$4, \$8 lw \$10, 0(\$9)	<pre># subtract 1 from i # multiply i by 4 → note # add start of address to (i-1) # load A(i-1)</pre>	
Finish up function.	sw 4(\$9), \$10 add \$2, \$10, \$0	<pre># store A(i-1) in A(i) # put A(i-1) into return register (\$2)</pre>	
Return	jr \$31	# PC = contents of \$31	

Question 2:

```
int main(void) {
                            foo1() {
                                                        foo2() {
  i = 5; # i = $16
                            a = 17;
                                      # a = $16
                                                          x = 25; \# x = $16
  j = 6; # j = $17
                              b = 24; \# b = $17
                                                          y = 12; \# y = $17
  k = fool();
                                                        }
  j = j + 1;
                              foo2();
}
                            }
```

Let's consider how we might use the stack to support these nested calls.

- Q: How do we make sure that data for i, j (\$16, \$17) is preserved here?
- A: Use a stack.

By convention, the stack grows up:

Let's look at main():

- Assume we want to save \$17 and \$16
 - (we'll use the stack pointer)
 - Also, anything else we want to save?
 - \circ \$31 if nested calls.
- How?
 - subi \$sp, \$sp, 12
 # make space for 3 data words
 - Example: assume sp = 100, therefore sp = 100 12 = 88
- Then, store results:

0	sw 8(\$sp), \$16	# address:	8 + \$sp = 8 + 88 = 96
0	sw 4(\$sp), \$17	# address:	4 + \$sp = 4 + 88 = 92
0	sw 0(\$sp), \$31	# address:	0 + \$sp = 0 + 88 = 88

Now, in Foo1() ... assume A and B are needed past Foo2() ... how do we save them?

- We can do the same as before
 - Update \$sp by 12 and save

Similarly, can do the same for Foo2()

Now, assume that we are *returning* from Foo1() to main(). What do we do?

- The stack pointer should equal the value before the Foo1() call (i.e. 88)

 $lw $31, 0($sp) # $31 \leftarrow memory(0 + 88)$ (LIFO) $lw $17, 4($sp) # $17 \leftarrow memory(4 + 88)$ $w $16, 8($sp) # $16 \leftarrow memory(8 + 88)$ Finally, update \$sp: addi \$sp, \$sp, 12(\$sp now = 100 again)

Let's talk about the Frame Pointer too:

\$fp (frame pointer) points to the "beginning of the stack" (ish) - or the first word in frame of a procedure

Why use a \$fp?

- Stack used to store variables local to procedure that may not fit into registers
- \$sp can change during procedure (e.g. as just seen)
 - Results in different offsets that may make procedure harder to understand
- \$fp is stable base register for local memory references

For example:

Question 3:

```
int fact(int n) {
    if (n<1)
        return(1);
    else
        return(n*fact(n-1));
}</pre>
```

Let's consider how we might use the stack to support these nested calls. We'll also make use of the frame pointer (\$fp).

1:	Fact:	subi \$sp, \$sp, 12		 # make room for 3 pieces of data on the stack – # \$fp, \$sp, 1 local argument # Therefore, if \$sp = 100, its now 88
		sw 8(\$sp), \$ra sw 4(\$sp), \$fp subi \$fp, \$fp, 12		 # M(88 + 8) ← \$ra (store return address) # M(88 + 4) ← \$fp (store frame pointer) # update the frame pointer # - could assume its 1 above old \$sp # - book uses convention here (i.e. \$sp = \$fp) # - therefore return to data at 0(\$fp) # - in the other case, it would be 4(\$fp)
2:		bgtz \$a0, L2		# if N > 0 (i.e. not < 1) we're not done # we assume N is in \$a0
4:		addi \$v0, \$0, 1 j L1		# we eventually finish and want to return 1 # put 1 in return register # jump to return code
3:	L2:	sw \$a0, 0(\$fp) subi \$a0, \$a0, 1 jal Fact	***	# save argument N to stack (we'll need it when we return) # decrement N (N = N $-$ 1), put result in \$a0 # call Factorial() again
6:	@	lw \$t0, 0(\$f0) mult \$v0, \$v0, \$t0		# load N (saved at *** to stack) # store result in \$v0
5:	L1	lw \$ra, 8(\$sp) lw \$fp, 4(\$sp) addi \$sp, \$sp, 12 jr \$ra		<pre># restore return address # restore frame pointer # pop stack # return (to @)</pre>