# Evolutionary Biology 30305 Fall 2017

# Topics for the 1<sup>st</sup> Exam

This list is not meant to be totally inclusive. We have covered other topics and many examples not listed. You are responsible for all the material covered in the lectures and in the assigned readings.

# Readings

- Bowler, P. J., 2009. Darwin's originality. Science 323:223-226.
- Padin, K., 2008. Darwin's enduring legacy. *Nature* 451:632-634.
- Chapter 1 all sections
- Chapter 2 all sections
- Chapter 3 sections 3.4 3.7
- Chapter 5 all sections
- Chapter 6 all sections

## **Review Questions from the Book Chapters**

- Chapter 1: Multiple Choice 1-3, 5-8; Short Answer 1-5.
- Chapter 2: Multiple Choice 1,3-6; Short Answer 1,3-6.
- Chapter 5: Multiple Choice 5-9; Short Answer 3-6.
- Chapter 6: Multiple Choice 1-10; Short Answer 1-3, 5. Q4 uses the average fitness of an allele and we won't cover that equation shown in Box figure 6.5.1).

## Intro to Evolutionary Biology

Practical Applications Goals of Evolutionary Biology Names: Dobzhansky

## Historical Development of Evolutionary Theory

Properties of Evolving Systems Elements of Evolution by Natural Selection Timeline for History of Evolutionary Thought Lamarck's hypothesis Historical Context for the Theory of Evolution by Natural Selection Darwin's Observations and His 4 Theories of Evolution Evidence for Evolution: Homology, Common Descent, and Vestigial Traits, Fossil Record, Experimental Evidence and Direct Observation Names: Plato, Aristotle, Linnaeus, Buffon, Lamark. Ussher, Steno, Hutton, Smith, Lyell, Cuvier, Annig, Darwin, Malthus, Wallace

# **Origin of Variation**

Types of Mutations Mutation Rates Drake's Constancy Hypothesis Luria-Delbruck Experiment Adaptive Mutation Mutational Effects Mutation Accumulation Experiments Names: McClintock, Luria & Delbruck, Drake, Fisher (first time of many!)

## **Mendelian Genetics**

Mendel's Laws

Calculating Gene (Allele) and Genotype Frequencies Hardy-Castle-Weinberg Law Assumptions of H-W Equilibrium Post-Darwinian Controversies The Modern Synthesis - What was it, and what were the outcomes? Measuring Genetic Variation in Natural Populations DNA Polymorphism and Forensic Analysis (The Product Rule) Change in Allele Frequencies by Mutation Measuring Fitness (Relative vs. Absolute Fitness) Analysis of Single Locus Selection Rate of Increase of a Favorable Allele Selection against a Partially Recessive Lethal Selection Coefficient (s) and Dominance Coefficient (h) Heterozygote Advantage (Overdominance) Heterozygote Disadvantage (Underdominance) Single Locus Adaptive Landscapes Frequency-Dependent Selection Evolution of Sex Ratio Selection-Mutation Balance Migration **Migration-Selection Balance** Genetic Drift **Coalescence Theory** Loss of Heterozygosity in Finite Populations Effective Population Size (Ne) Inbreeding Inbreeding Coefficient (F) and Identity By Descent (IBD) Inbreeding depression Population Subdivision (F<sub>st</sub>) Relationship between  $F_{st}$  and  $N_m$ Genome Scans Names: Mendel, Hardy, Castle, Weinberg, Ford, Fisher (again), Haldane, Wright, Kettlewell

# Origin of Life

Fundamental Characteristics of Life Origin-of-life Research Panspermia RNA-DNA-Protein First?

## Evolution of Early Life Forms<sup>†</sup>

Fossil and Molecular Time Line for the Origin of the Domains of Life and Major Evolutionary Events LUCA Evolution of Genome Size Prokaryotes/Eukaryotes and the Origin of Organelles 3 Domains of Life

# Useful Equations to know for Population Genetics:

Gene frequencies:

p + q = 1, where Freq(A) = p and Freq(a) = q (this is for a single locus with 2 alleles but can easily be expanded for a single locus with multiple alleles)

Genotype frequencies:

$$p^2 + 2pq + q^2 = 1$$
, where  $Freq(AA) = p^2$ ,  $Freq(Aa) = 2pq$ ,  $Freq(aa) = q^2$ 

This equation also describes the Hardy-Castle-Weinberg proportions of genotype frequencies.

Allele frequencies from known genotype frequencies:

$$p' = p^2 + \frac{1}{2}(2pq)$$

Equilibrium gene frequency under mutation:

 $\hat{p} = \frac{v}{(u+v)}$ , where Freq(A) = p and Freq (a) = q, u is the mutation rate from A $\rightarrow$ a, and v is the back mutation

rate from  $a \rightarrow A$ 

Population mean fitness:

$$\overline{w} = p^2 W_{AA} + 2 p q W_{Aa} + q^2 W_{aa}$$
, where  $W_{ij}$  is the absolute fitness for a particular genotype

Average excess fitness of an allele:

$$a_{A} = \left[p \times \left(W_{AA} - \overline{W}\right)\right] + \left[q \times \left(W_{Aa} - \overline{W}\right)\right]$$

Equilibrium gene frequency with heterozygote advantage and disadvantage models of selection:

 $\hat{p} = \frac{t}{(s+t)}$ , where t is the selection coefficient associated with the homozygous as genotype and s is the

selection coefficient associated with the homozygous AA genotype, and Freq(A) = p. This equation describes the equilibrium gene frequency for either model of selection. The major difference is that under heterozygote advantage the equilibrium is stable and under heterozygote disadvantage the equilibrium is unstable.

Mutation-Selection Balance - The equilibrium frequency of a recessive deleterious allele is given by:

 $\hat{q} \cong \sqrt{\frac{u}{s}}$ , where *u* is the mutation rate to the deleterious allele and s is the selection coefficient against that

allele. For a dominant allele  $\hat{q} \cong \frac{u}{s}$ , and for a partially recessive allele  $\hat{q} \cong \frac{u}{hs}$ 

*Migration-Selection Balance* - The equilibrium frequency of an allele on the island  $(p_i)$  with migration from the continent that is under selection is given by:

 $\hat{p}_i \approx \frac{mp_c}{r}$ , where m is the migration rate,  $p_c$  is the allele frequency on the continent and s is the selection

coefficient against the allele on the island.

Loss of Heterozygosity – The loss of heterozygosity after 1 generation with an effective population of size  $N_e$  is given by:

$$H_1 = \left[1 - \frac{1}{2N_e}\right] * H_0 \text{, for multiple generations } H_t = \left[1 - \frac{1}{2N_e}\right]^t * H_0 \cong H_0 e^{-t/(2N_e)}$$

Genetic effective populations size N<sub>e</sub> is given by:

$$N_e = \frac{4N_m N_f}{N_m + N_f}$$

Genetic effective populations size Ne across multiple generations with varying population size is best described by the harmonic mean:

$$\frac{1}{N_e} = \frac{1}{t} \left( \frac{1}{N_0} + \frac{1}{N_1} + \dots + \frac{1}{N_{t-1}} \right)$$

Heterozygosity in a partially inbred population is given by:  $H_{obs} = 2 pq(1-F) = H_{exp}(1-F)$ 

Estimating F from observed and expected heterozygosity:  $F = (H_{exp} - H_{obs}) / H_{exp}$ 

Population Subdivision – The level of population subdivision is given by:

 $F_{ST} = \frac{\left(H_T - H_s\right)}{H_T} = 1 - \left(\frac{H_S}{H_T}\right), \text{ where } H_S \text{ is the average expected heterozygosity within subpopulations and}$ 

 $\ensuremath{\textit{H}_{T}}\xspace$  is the total expected heterozygosity across all populations.

Relationship between F<sub>ST</sub> and the number of migrants is given by:

 $F_{ST} = \frac{1}{1 + 4Nm}$