

# I overview

Note Title

2/1/2010

## II: Homotopy theory

- study spaces "up to homotopy"
- every space is "equivalent to a CW cx"
- when does  $\pi_n$ -iso  $\Rightarrow$   $h_{top}$  equiv?
- when does  $H_n$ -iso  $\Rightarrow$   $h_{top}$  equiv?

## Fibrations, cofibrations

### II: Classifying spaces

- Which functors  $\text{Top}^l \text{ spaces} \longrightarrow \begin{cases} \text{Sets} \\ \text{Sps} \end{cases}$  are representable? i.e.  $X \mapsto [X, B]$
- Vector bundles, principle bundles
- Classifying spaces of groups

### III: Serre spectral sequence

$$\begin{array}{ccc} F & \rightarrow & E \\ & & \downarrow \\ & & B \end{array} \quad \text{fiber bundle: compute } H_* E \text{ in terms of } H_* B, H_* F$$

### IV: Characteristic classes

- Chern classes
- Stiefel-Whitney classes

Time permitting: Bonus topics

- Steenrod operators
  - Cobordism theory
  - K-theory
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