The AKF Diagram

Because pelitic sediments are high in Al_2O_3 and K_2O_3 and low in CaO, Eskola proposed a different diagram that included K_2O to depict the mineral assemblages that develop in them

 In the AKF diagram, the pseudo-components are:

 $A = AI_2O_3 + Fe_2O_3 - Na_2O - K_2O - CaO$ $K = K_2O$ F = FeO + MgO + MnO



AKF compatibility diagram (Eskola, 1915) illustrating paragenesis of pelitic hornfelses, Orijärvi region Finland



Three of the most common minerals in metapelites: **andalusite**, **muscovite**, and **microcline**, all plot as distinct points in the AKF diagram



 And & Ms plot as the same point in the ACF diagram, and Microcline doesn't plot at all, so the ACF diagram is much less useful for pelitic rocks (rich in K and Al)



Projections in Chemographic Diagrams

When we explore the methods of chemographic projection we will discover:

- Why we ignored SiO₂ in the ACF and AKF diagrams
- What that subtraction was all about in calculating A and C
- It will also help you to better understand the AFM diagram and some of the shortcomings of projected metamorphic phase diagrams

Example- the ternary system: CaO-MgO-SiO₂ ("CMS")

Straightforward: C = CaO, M = MgO, and S = SiO₂... none of that fancy subtracting business!

- Let's plot the following minerals:
 - Fo Mg_2SiO_4 Per MgO
 - $En MgSiO_3 \qquad Qtz SiO_2$
 - $Di CaMgSi_2O_6$ $Cc CaCO_3$





- $Fo Mg_2SiO_4 Per MgO En MgSiO_3$
- $Qtz SiO_2$ Di CaMgSi₂O₆ Cc CaCO₃

Pseudo-binary Mg-Si diagram in which Di is projected to a 33% Mg - 66% Si







 In accordance with the mineralogical phase rule (φ = C) get any of the following 2-phase mineral assemblages in our 2-component system:

Per + Fo Fo + En

En + Di Di + Q





- ACF and AKF diagrams eliminate SiO₂ by projecting from quartz
- Math is easy: projecting from an apex component is like ignoring the component in formulas
- The shortcoming is that these projections compress the true relationships as a dimension is lost

Two compounds plot within the ABCQ compositional tetrahedron, x (formula ABCQ) y (formula $A_{2}B_{2}CQ$)



x = ABCQ $y = A_2B_2CQ$



x = ABCQ $y = A_2B_2CQ$



x plots as x' since A:B:C = 1:1:1 = 33:33:33 y plots as y' since A:B:C = 2:2:1 = 40:40:20

> x = ABCQ $y = A_2B_2CQ$



If we remember our projection point (q), we conclude from this diagram that the following assemblages are possible:







An alternative to the <u>AKF diagram for metamorphosed</u> <u>pelitic rocks</u>

Although the AKF is useful in this capacity, J.B. Thompson (1957) noted that Fe and Mg do not partition themselves equally between the various mafic minerals in most rocks

Figure 24.17. Partitioning of Mg/Fe in minerals in ultramafic rocks, Bergell aureole, Italy After Trommsdorff and Evans (1972). A J Sci 272, 423-437.



 $A = AI_2O_3$ $K = K_2O$ F = FeOM = MgO



Project from a phase that is present in the mineral assemblages to be studied

Α Ms Kfs Μ K Biolitt projection of Biolite

Figure 24.18. AKFM Projection from Mu. After Thompson (1957). Am. Min. 22, 842-858.

- At high grades muscovite dehydrates to Kfeldspar as the common high-K phase
- Then the AFM diagram should be projected from K-feldspar
- When projected from Kfs, biotite projects within the F-M base of the AFM triangle



Figure 24.18. AKFM Projection from Kfs. After Thompson (1957). Am. Min. 22, 842-858.





The AFM Projection for Pelitic Rocks

Plotting Rules

- 1. Divide the weight percentage of each constituent oxide in the rock or mineral by its molecular weight to obtain the molecular proportion.
- 2. The amount of component A in the projection is the molecular proportion of Al_2O_3 minus three times the molecular proportion of K_2O . This subtraction is the arithmetic technique of projecting from the ideal muscovite composition point onto the AFM face of the AFMK tetrahedron, because in ideal muscovite there are three times as many moles of Al_2O_3 as K_2O .
- 3. The amount of component F in the projection is the molecular proportion of FeO. If ilmenite (FeO · TiO₂) is a member of the mineral assemblage, then the molecular proportion of TiO₂ in the rock must be subtracted from the molecular proportion of FeO to obtain F. This subtraction is the arithmetic technique of making ilmenite a part of the assemblage; alternatively, we could say that ilmenite is present in excess, or that we are projecting from ilmenite in the AFMK tetrahedron as well as from muscovite.
- 4. The amount of component M in the projection is simply the molecular proportion of MgO.
- The amounts of A, F, and M from steps 2,
 3, and 4 are plotted on the extended AFM projection plane using a grid of their ratios

Figure 24.20. AFM Projection from Ms for mineral assemblages developed in metapelitic rocks in the lower sillimanite zone, New Hampshire After Thompson (1957). Am. Min. 22, 842-858.



- Example, suppose we have a series of pelitic rocks in an area. The pelitic system consists of the 9 principal components: SiO₂, Al₂O₃, FeO, MgO, MnO, CaO, Na₂O, K₂O, and H₂O
- How do we lump those 9 components to get a meaningful and useful diagram?

- Each simplifying step makes the resulting system easier to visualize, but may overlook some aspect of the rocks in question
 - MnO is commonly lumped with FeO + MgO, or ignored, as it usually occurs in low concentrations and enters solid solutions along with FeO and MgO
 - In metapelites Na₂O is usually significant only in plagioclase, so we may often ignore it, or project from albite
 - As a rule, H₂O is sufficiently mobile to be ignored as well

Common high-grade mineral assemblage: Sil-St-Mu-Bt-Qtz-Plag

Figure 24.20. AFM Projection from Ms for mineral assemblages developed in metapelitic rocks in the lower sillimanite zone, New Hampshire After Thompson (1957). Am. Min. 22, 842-858.



Sil-St-Mu-Bt-Qtz-Plag

Figure 24.21. After Ehlers and Blatt (1982). *Petrology*. Freeman.





Choosing the Appropriate Chemographic Diagram Sil-St-Mu-Bt-Qtz-Plag

- We don't have equilibrium
- There is a reaction taking place (F = 1)
- We haven't chosen our components correctly and we do not really have 3 components in terms of AKF



Figure 24.21. After Ehlers and Blatt (1982). *Petrology*. Freeman.



- Myriad chemographic diagrams have been proposed to analyze paragenetic relationships in various metamorphic rock types
- Most are triangular: the maximum number that can be represented easily and accurately in two dimensions
- Some natural systems may conform to a simple 3component system, and the resulting metamorphic phase diagram is rigorous in terms of the mineral assemblages that develop
- Other diagrams are simplified by combining components or projecting

- Variations in metamorphic mineral assemblages result from:
 - 1) Differences in bulk chemistry
 - 2) differences in intensive variables, such as T, P, $P_{H_{2}O}$, etc (metamorphic grade)
- A good chemographic diagram permits easy visualization of the first situation
- The second can be determined by a balanced reaction in which one rock's mineral assemblage contains the reactants and another the products
- These differences can often be visualized by comparing separate chemographic diagrams, one for each grade