

Sample Midterm 2

Question 1 (25 points)

Multiple Choice – 5 questions, 5 points each

A jet with velocity V exiting from a pipe with diameter D causes a horizontal force, F , on a wall perpendicular to the jet. If the exiting velocity were to double to $2V$ with the same pipe, the new force on the wall would be

[$F/8$] [$F/4$] [$F/2^{1/2}$] [F] [$2^{1/2}F$] [$2F$] [$4F$] [$8F$]

A pipe filled with an incompressible fluid has volumetric flow rate Q and mean fluid velocity V . If the flow rate doubles to $2Q$ what will be the new mean velocity?

[$V/8$] [$V/4$] [$V/2^{1/2}$] [$V/2$] [V] [$2V$] [$2^{1/2}V$]
[$4V$] [$8V$]

A student copying down the equations for an incompressible velocity field has written $u = 0$, $v = \cos(y)$, $w =$ (can not read). Which of the following values for w would satisfy the incompressible mass continuity equation?

[$w = z \sin(y)$] [$w = z \sin(z)$] [$w = y \cos(y)$] [$w = \cos(z)$] [$w = -\sin(y)$]
[$w = -\sin(z)$] [$w = -\cos(y)$] [$w = -\cos(z)$]

Water flows out of a rotating lawn sprinkler. When the volumetric flow rate is Q and the rate of rotation is ω , the exiting fluid velocity relative to the rotating sprinkler is W . If the volumetric flow rate doubles to $2Q$ and the rate of rotation doubles to 2ω , the new relative fluid velocity will be

[$W/8$] [$W/4$] [$W/2^{1/2}$] [W] [$2^{1/2}W$] [$2W$] [$4W$] [$8W$]

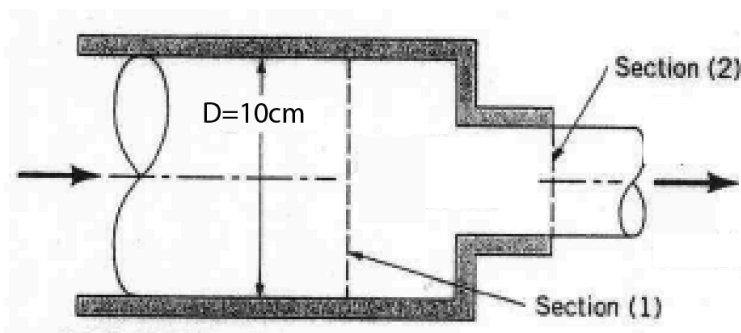
When an incompressible fluid flow can be represented by a stream function, conservation of volume is automatically satisfied

[Always] [Never] [Sometimes]

Question 2

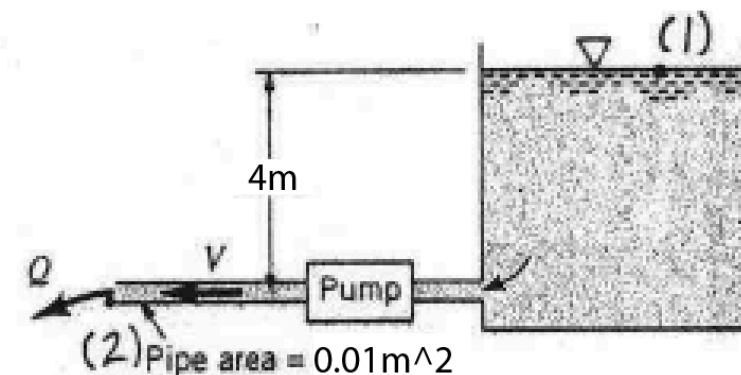
Water enters a horizontal, circular cross section sudden contraction nozzle as depicted in the figure. At section 1 the pressure is 520 kPa with a uniform velocity of 8 m/s and diameter 10 cm. The water exits the nozzle into the atmosphere at section 2 at a velocity of 32 m/s.

- Determine: (i) The diameter of the exit of the nozzle
(ii) The anchoring force required to hold the nozzle in place



Question 3

Water is pumped from the large tank shown in the figure. The head loss in the pipe is known to be equal to $4V^2/2g$ and the pump head is $h_p = (20/3) - (4/27)Q^2$, where h_p is in meters and Q is in m^3/s . Determine the flowrate. It is discharged as a free jet.



Question 4

Flow between two parallel plates

- (i) Departing from the full Navier Stokes Equations and Continuity Equation show that the flow between two parallel stationary plates is given by

$$u(y) = \frac{1}{2\mu} \frac{\partial P}{\partial x} (y^2 - h^2)$$

State all assumption and show clearly what terms you are disregarding with each assumption.

- (ii) Using this solution, what would the volume flow rate of water be between two fixed plates separated by a distance of 10mm (and of unit width) subjected to a longitudinal pressure gradient of -1Pa/m.