Math 10860, Honors Calculus 2

Quiz 6, Thursday February 27

Just for practice

1. When we began discussing the trigonometric functions, we gave a precise definition of the function cos on the domain $[0,\pi]$. State that definition.¹

- 2. From the angle-summation formulae (together with the basic Phythagorean identity connecting sin and cos), other useful formulae can be deduced.
 - (a) Verify that²

$$\cos^2\theta = \frac{1 + \cos 2\theta}{2}$$

(b) Verify that³

$$\tan(t/2) = \frac{\sin t}{1 + \cos t}.$$

 $^{^1\}mathrm{You}$ don't need to argue that it is a meaningful definition. $^2\mathrm{There}$'s also $\sin^2\theta = \frac{1-\cos\theta}{2},$ which is worth remembering. $^3\mathrm{This}$ also equals $\frac{1+\cos t}{\sin t}$