

MATERHORN

Large-eddy simulations for complex terrain



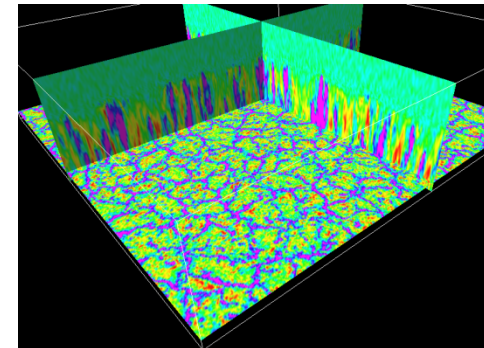
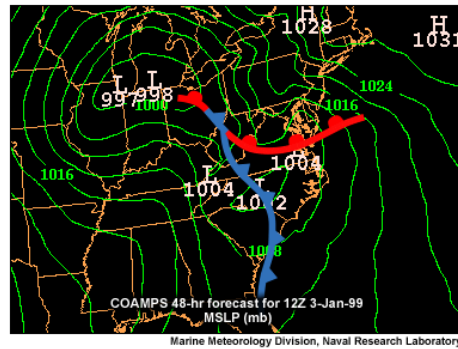
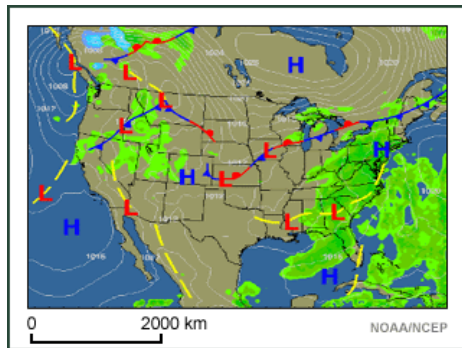
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University of California, Berkeley

Overview

- From mesoscale to microscale
- Complex terrain
 - Immersed boundary method
 - Turbulence closure
- Stable boundary layer flows

Numerical modeling



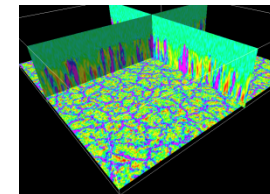
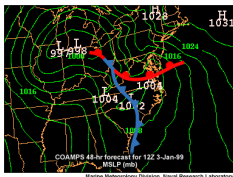
Synoptic
 $L > 2000$ km

Meso-scale
 $L \sim 2-2000$ km

LES
 $L < 2$ km

Resolution gap?

- ❑ Push mesoscale models to higher resolution?
- ❑ Or increase domain size for LES?
- ❑ Is there a conflict?

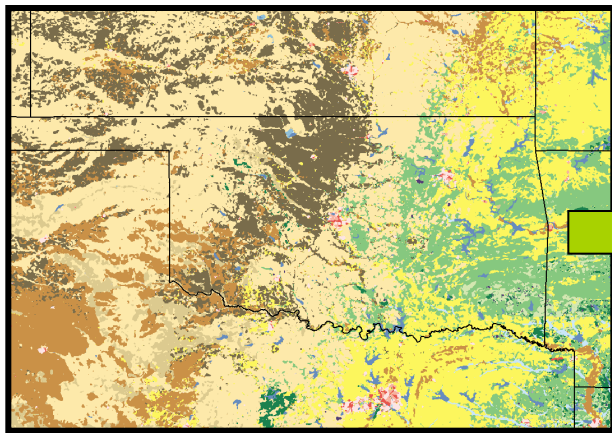


Meso-scale
 $L \sim 2\text{-}2000 \text{ km}$

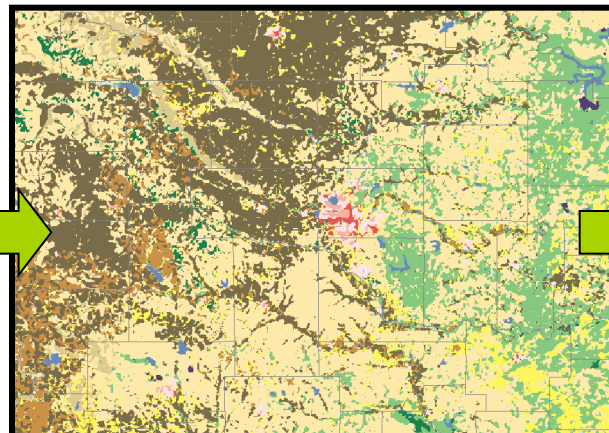
“Terra incognita”
Wyngaard (JAS 2004)

LES
 $L < 2 \text{ km}$

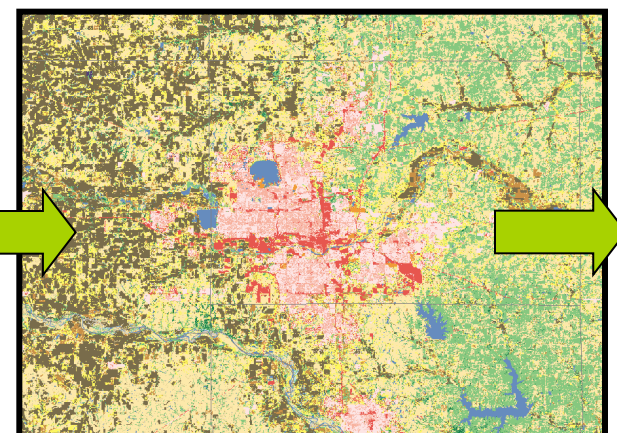
How to get from mesoscale to microscale



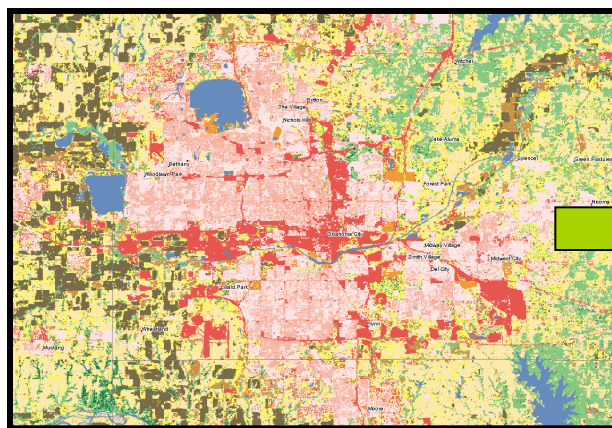
3 km (horizontal resolution)



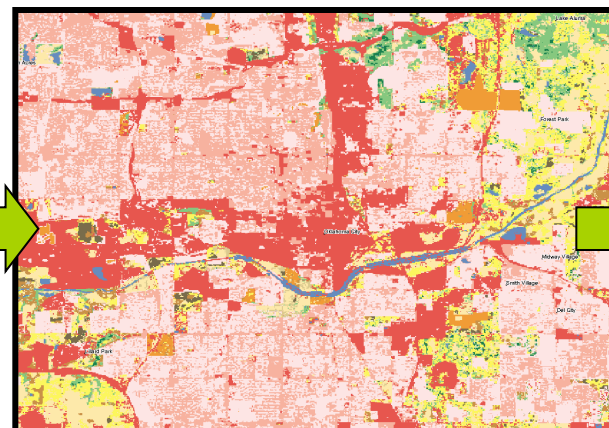
1 km



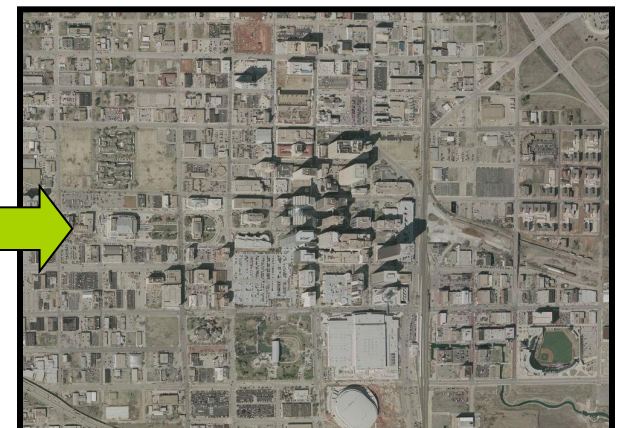
350 m



100 m



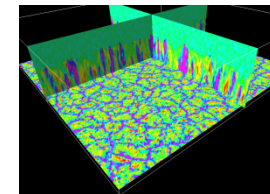
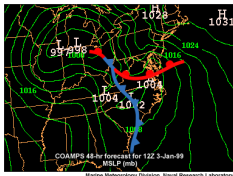
30 m



5-10 m

Challenges in the “Terra incognita”

- Steep topography
 - Terrain-following coordinate system
- Turbulence modeling
- Land-surface fluxes – similarity theory
- Lateral boundary forcing
- Other physics parameterizations



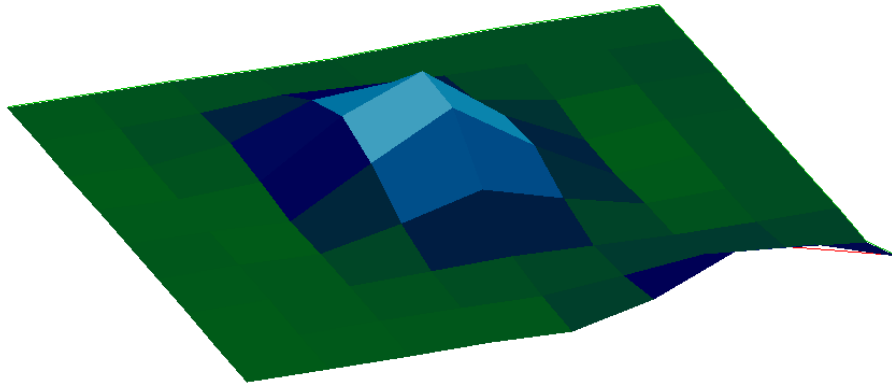
Meso-scale
 $L \sim 2\text{-}2000 \text{ km}$

“Terra incognita”
Wyngaard (JAS 2004)

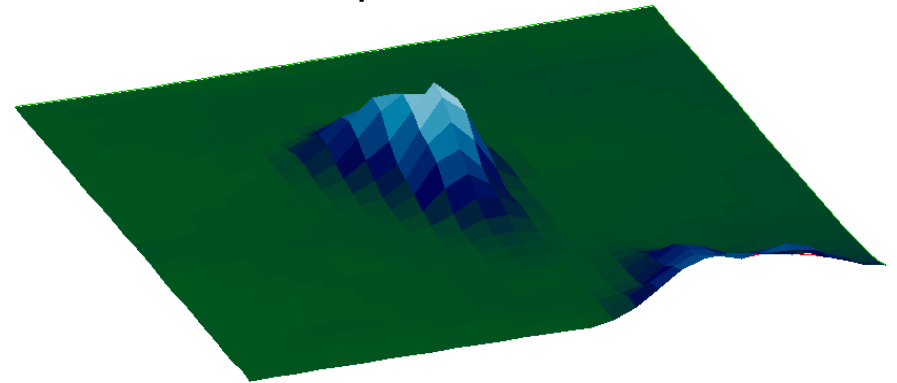
LES
 $L < 2 \text{ km}$

Increasing resolution → steeper slopes

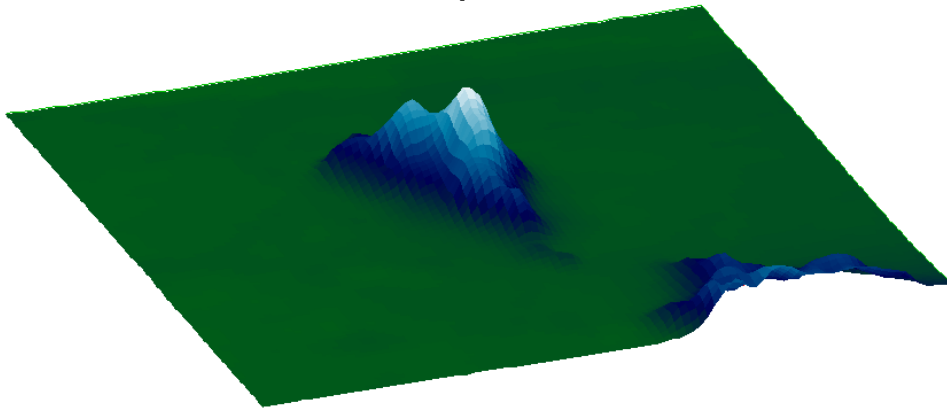
3 km, max slope $\sim 4^\circ$



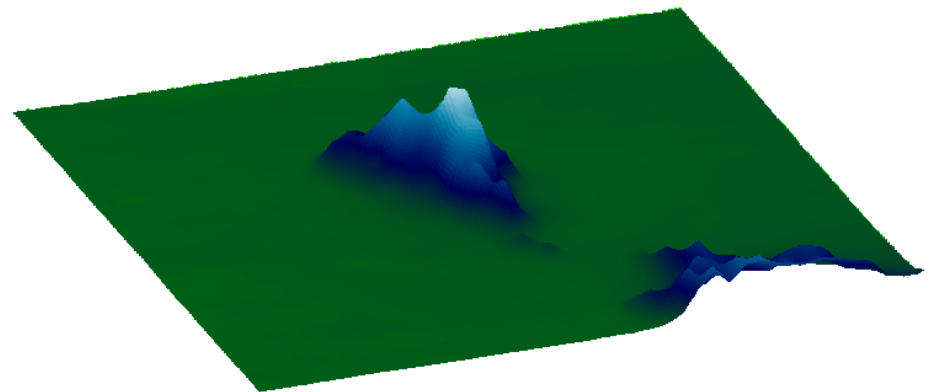
1 km, max slope $\sim 14^\circ$



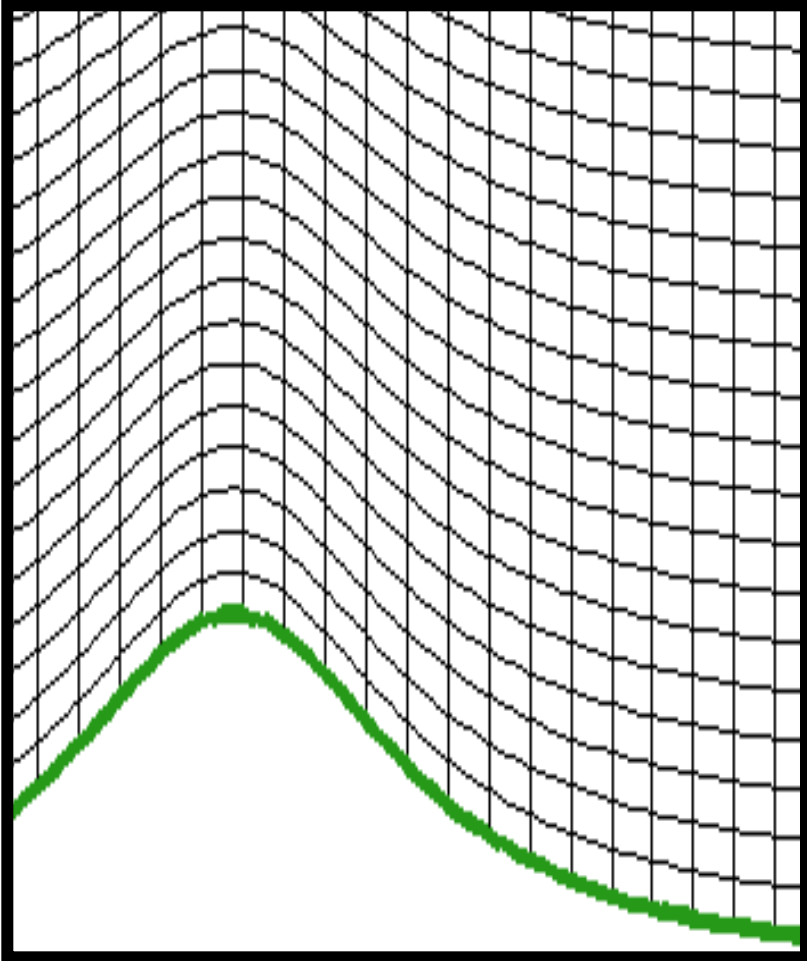
300 m, max slope $\sim 28^\circ$



100 m, max slope $\sim 32^\circ$



Terrain slope limit

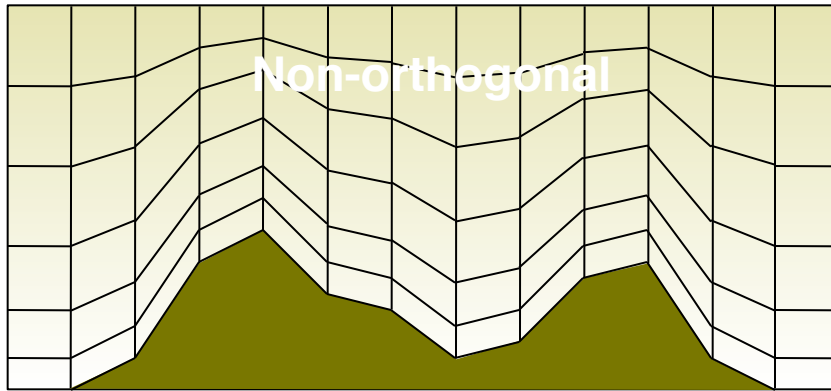


Terrain-following coordinates

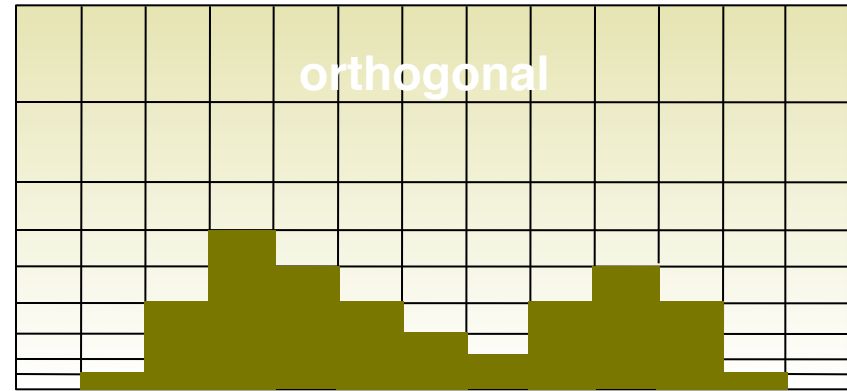
- Horizontal pressure gradient errors
 - 45° limit, usually $\sim 30^\circ$ starts causing problems (e.g. Mahrer 1984)
- Grid aspect ratio limitations
- Numerical stability

Vertical coordinate systems

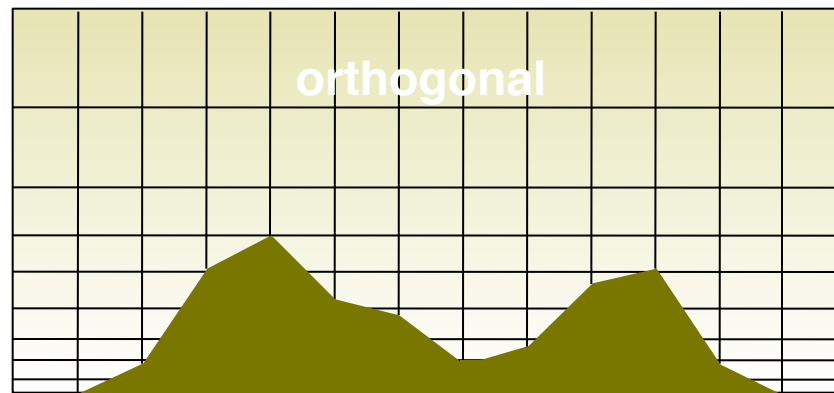
sigma, or terrain-following



eta, or "step mountain"

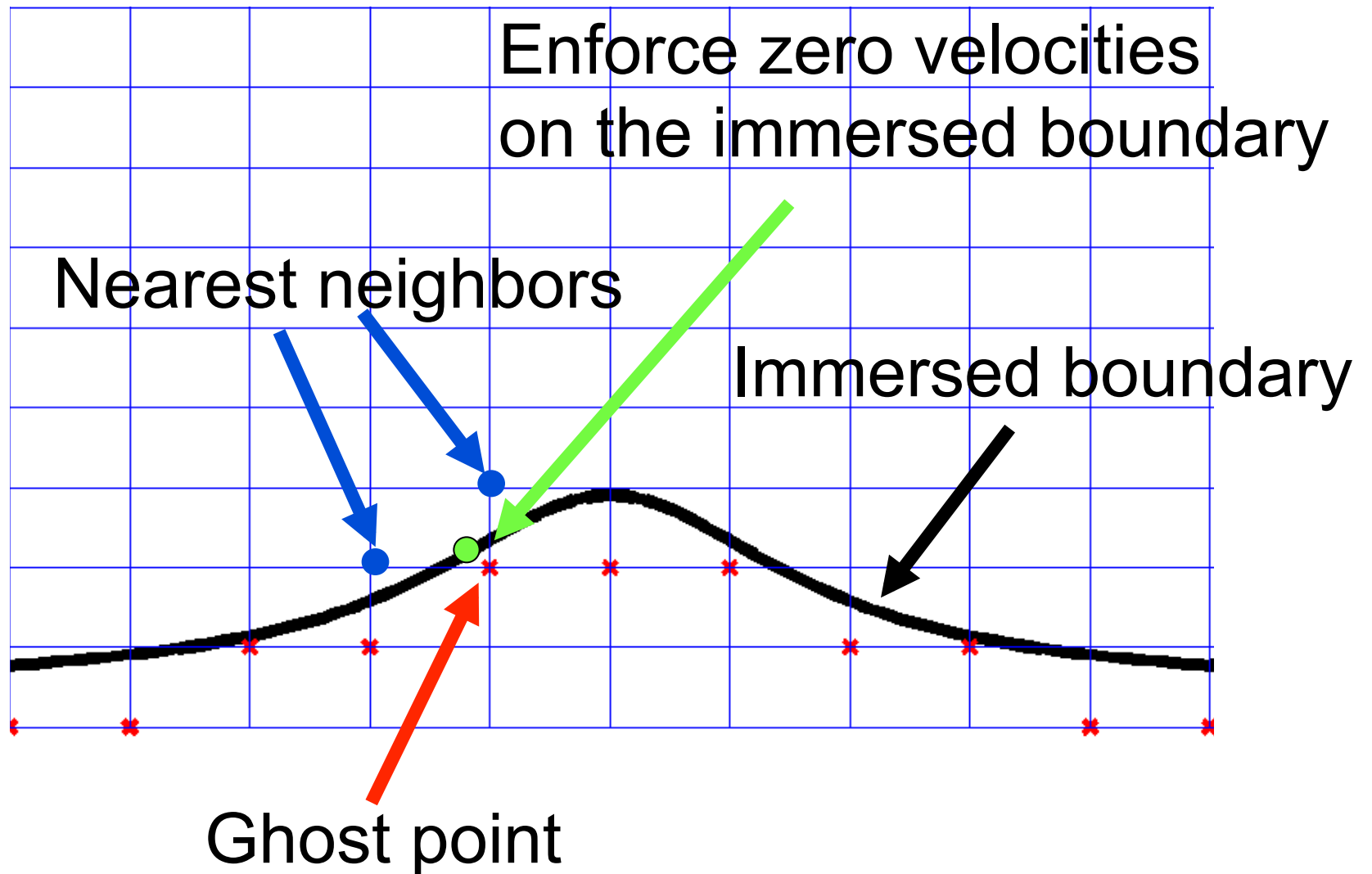


immersed boundary



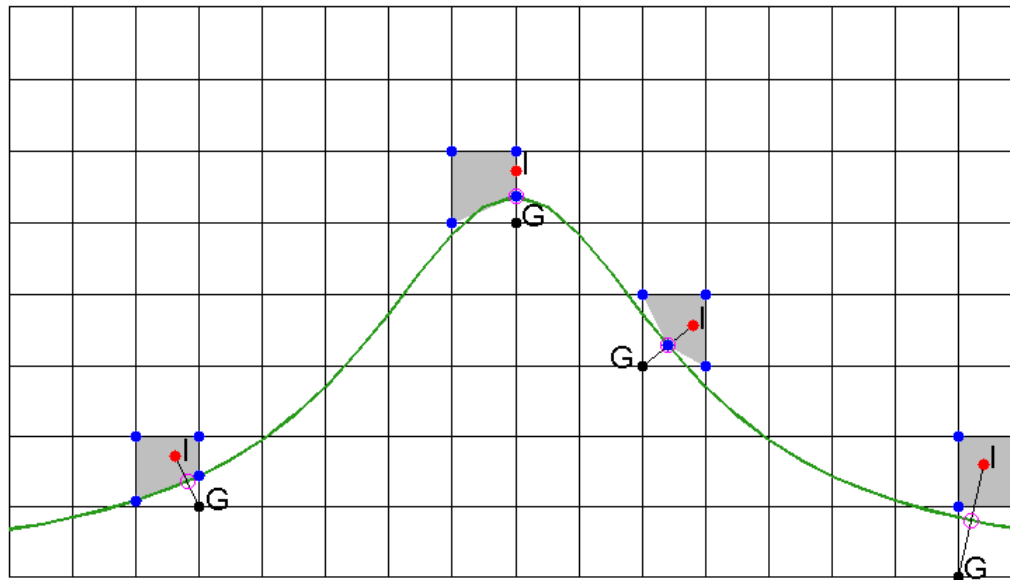
others include sigma-pressure, isentropic, and hybrids

Ghost-cell immersed boundary method



IBM - Boundary reconstruction

- ❑ IBM implemented in WRF
 - Lundquist et al. MWR 2010
- ❑ 2 different interpolation algorithms
- ❑ Handles highly complex topography



Lundquist et al. MWR 2010

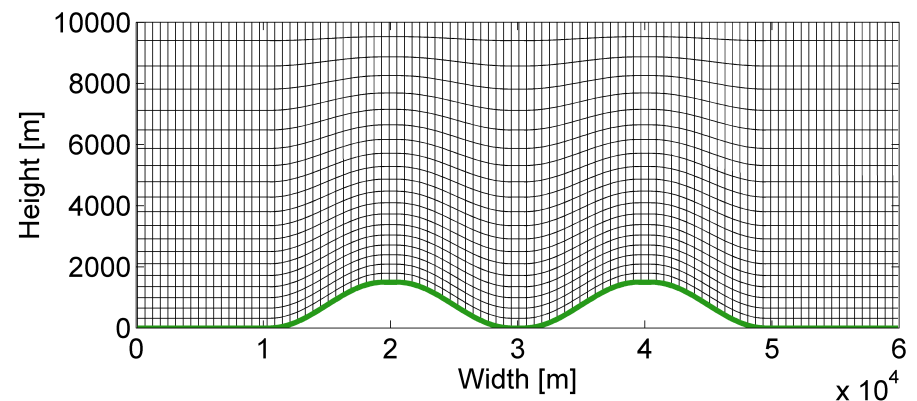
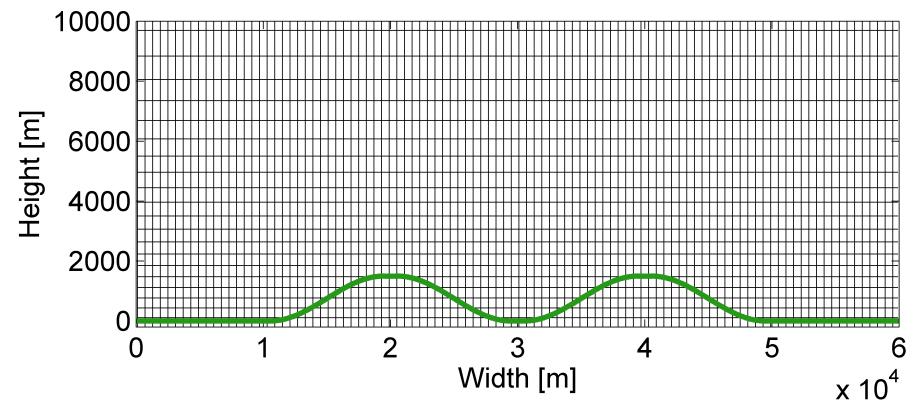
Idealized Valley Simulations

Domain Set-Up

- $(X, Y) = (60 \text{ km}, 10 \text{ km})$
- $(N_x, N_y) = (301, 60)$
- $\Delta X = \Delta Y = 200 \text{ m}, \Delta Z \sim 100 \text{ m}$
- Peak Height = 1.5 km
- Valley Width = 20 km

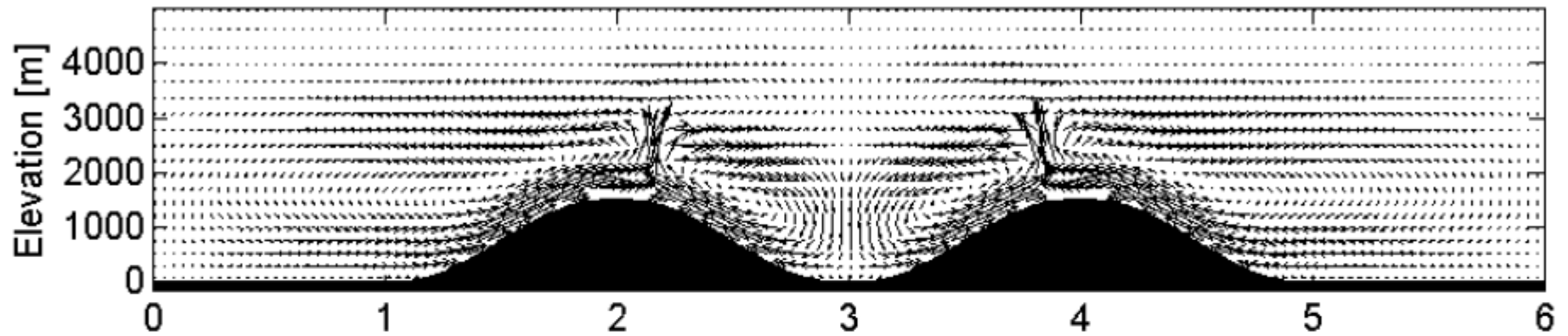
Initialization

- $(U, V, W) = (0, 0, 0)$
- Stable Potential Temp.
- 40% Relative Humidity

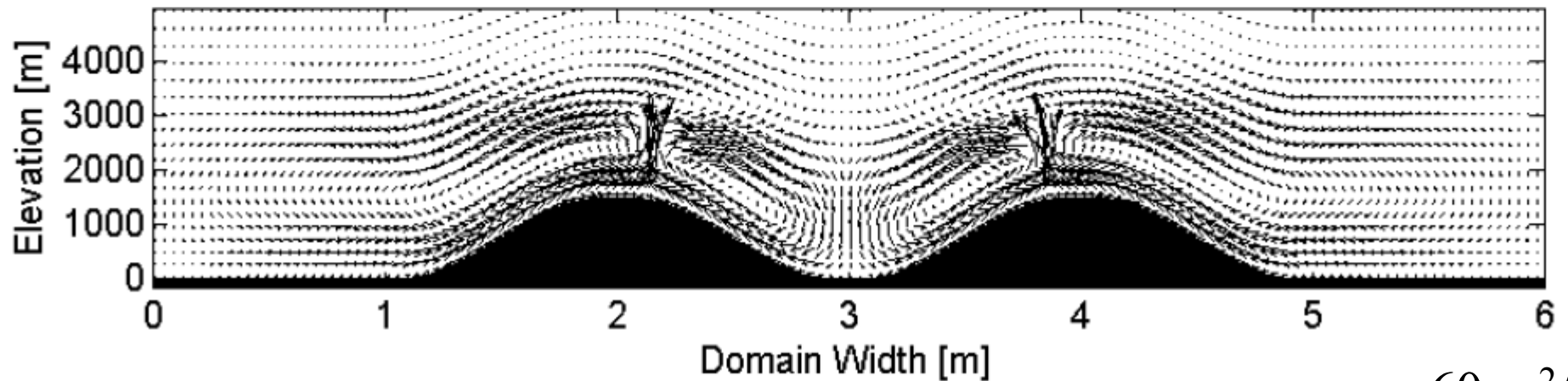


Thermally-driven valley flows

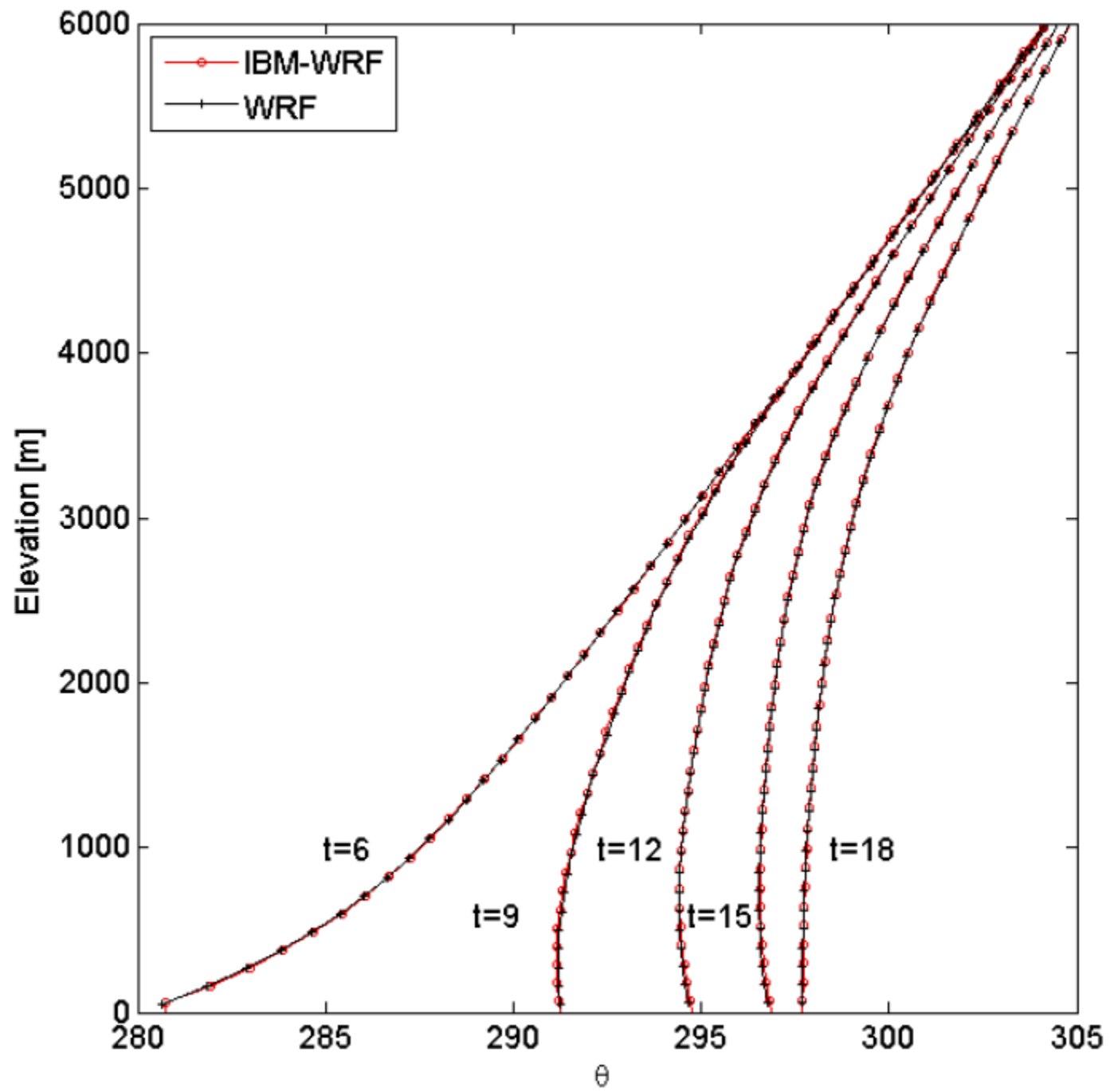
Valley with Specified Surface Heating at Time 15:00
IBM



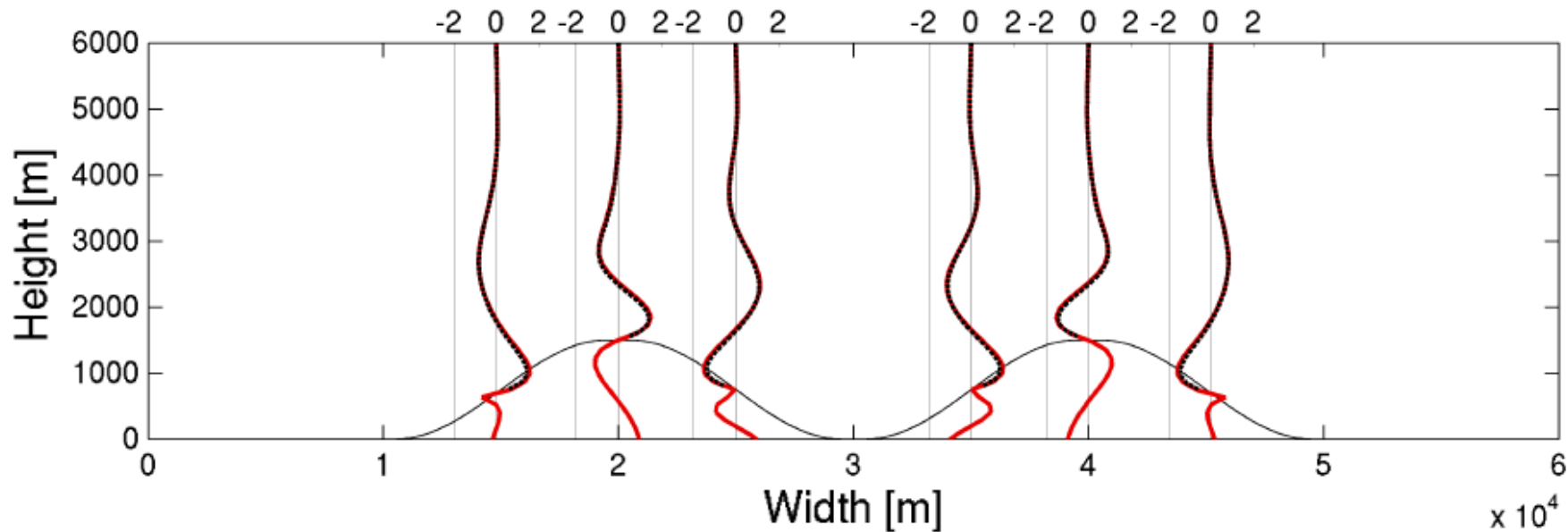
WRF



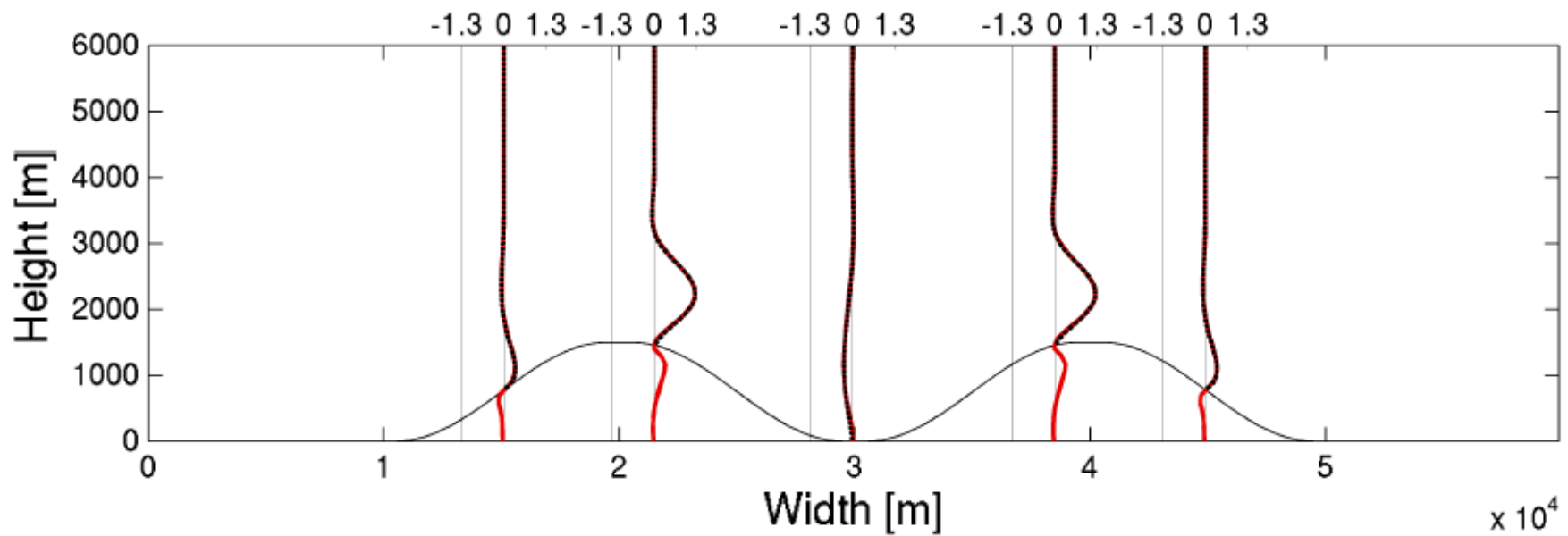
$$\nu_T = 60 \text{ m}^2/\text{s}$$



Profiles of U [m/s] at Time = 15:00

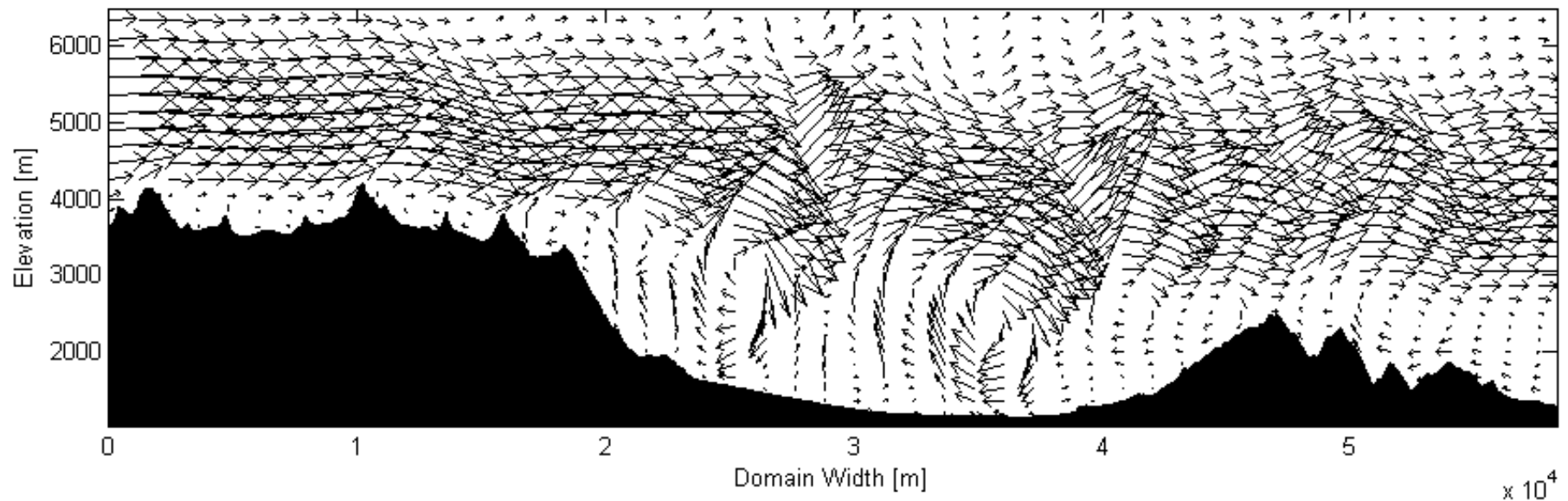


Profiles of W [m/s] at Time = 15:00

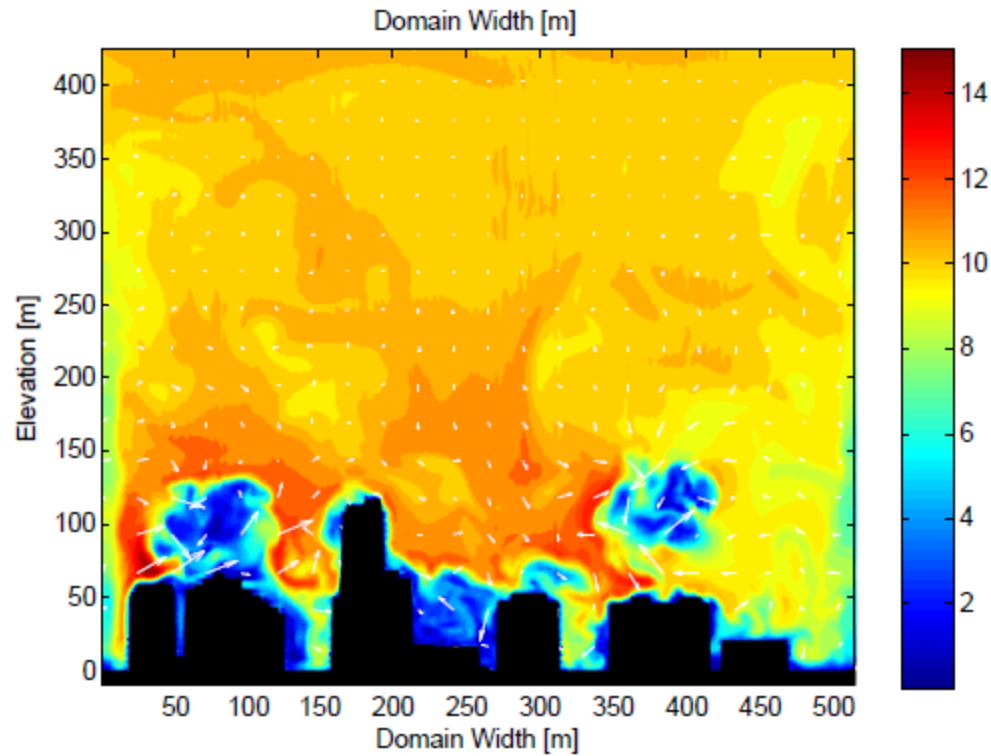


IBM-WRF: 2D Owens Valley, CA

- ▣ Terrain with slopes of up to 60 degrees
- ▣ IBM allows explicit resolution of this terrain at 100 m resolution
- ▣ Does not run with regular WRF

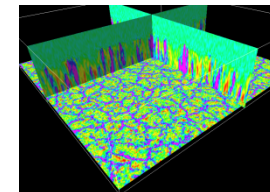
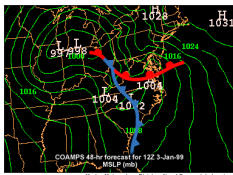


WRF-IBM – OKC urban dispersion



Challenges in the “Terra incognita”

- Steep topography
 - Terrain-following coordinate system
- Turbulence modeling
- Land-surface fluxes – similarity theory
- Lateral boundary forcing
- Other physics parameterizations



Meso-scale
 $L \sim 2\text{-}2000 \text{ km}$

“Terra incognita”
Wyngaard (JAS 2004)

LES
 $L < 2 \text{ km}$

Turbulence modeling

Mesoscale models

- $\Delta x > L$
- $\Delta x \sim 2\text{-}10$ km
- “None” of turbulence resolved
- Reynolds-averaged Navier-Stokes (RANS) closure models

Large-eddy simulation

- $\Delta x < L$
- $\Delta x < 1$ km
- Energy-containing turbulence resolved
- Closure model depends on filter width, Δ_f

Turbulence modeling

- Dynamic Reconstruction Model (DRM)
 - Explicit filtering and reconstruction

$$\tau_{ij} = \overline{\tilde{u}_i^* \tilde{u}_j^*} - \bar{\tilde{u}_i} \bar{\tilde{u}_j} - 2C_\epsilon \Delta^{4/3} \bar{\tilde{S}}_{ij}$$

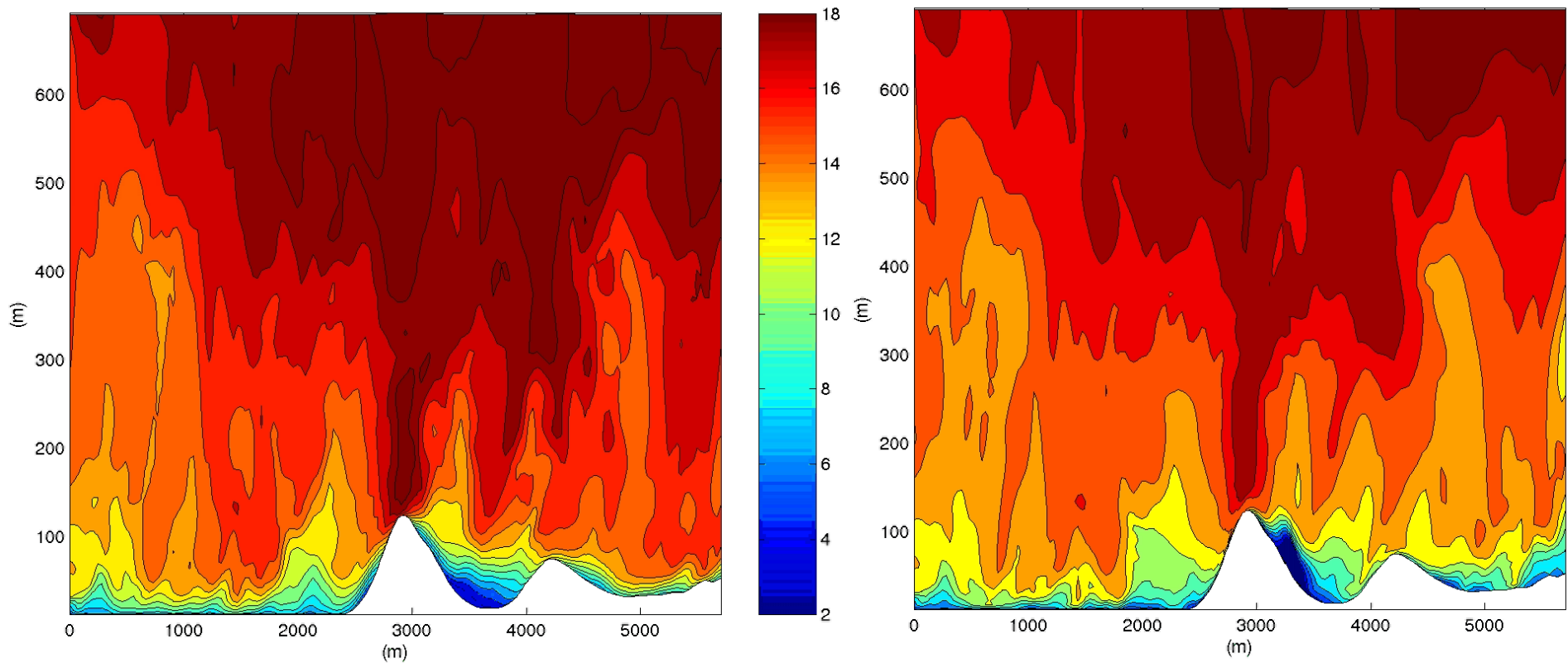
Chow et al. JAS 2005

- 1.5-order TKE closure
 - Eddy viscosity
 - No backscatter

$$\tau_{ij} = -2\nu_T \bar{\tilde{S}}_{ij}$$

Askervein Hill

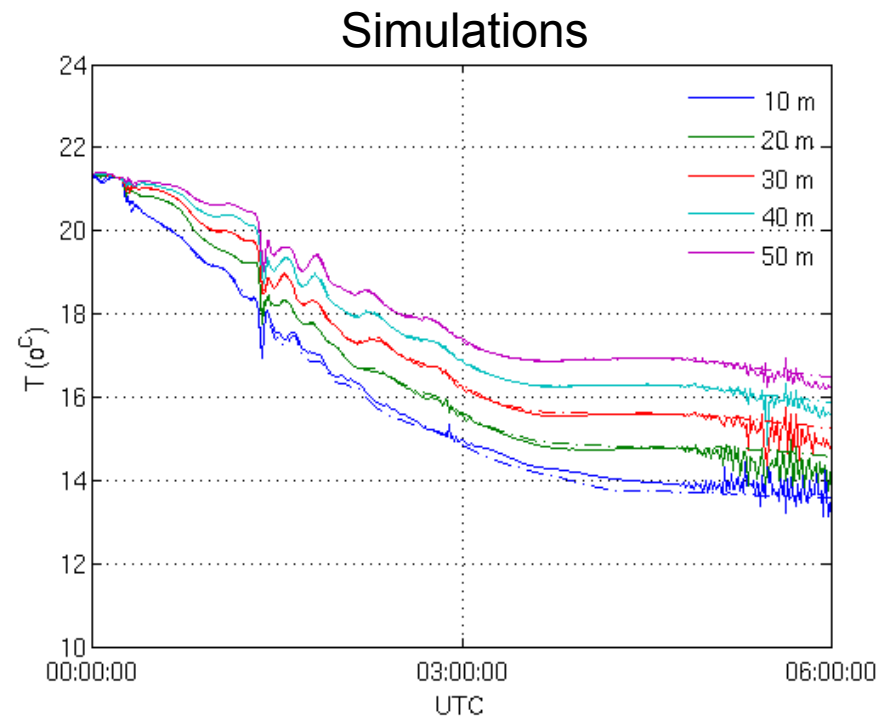
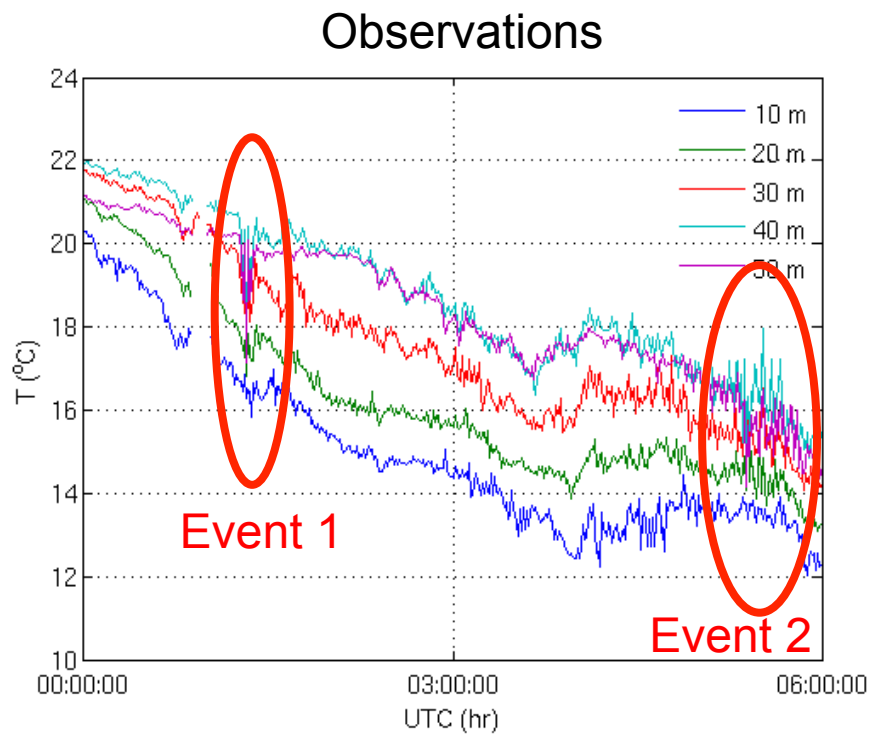
Streamwise velocity contours (m/s) (Chow and Street, JAMC 2009)



TKE-1.5

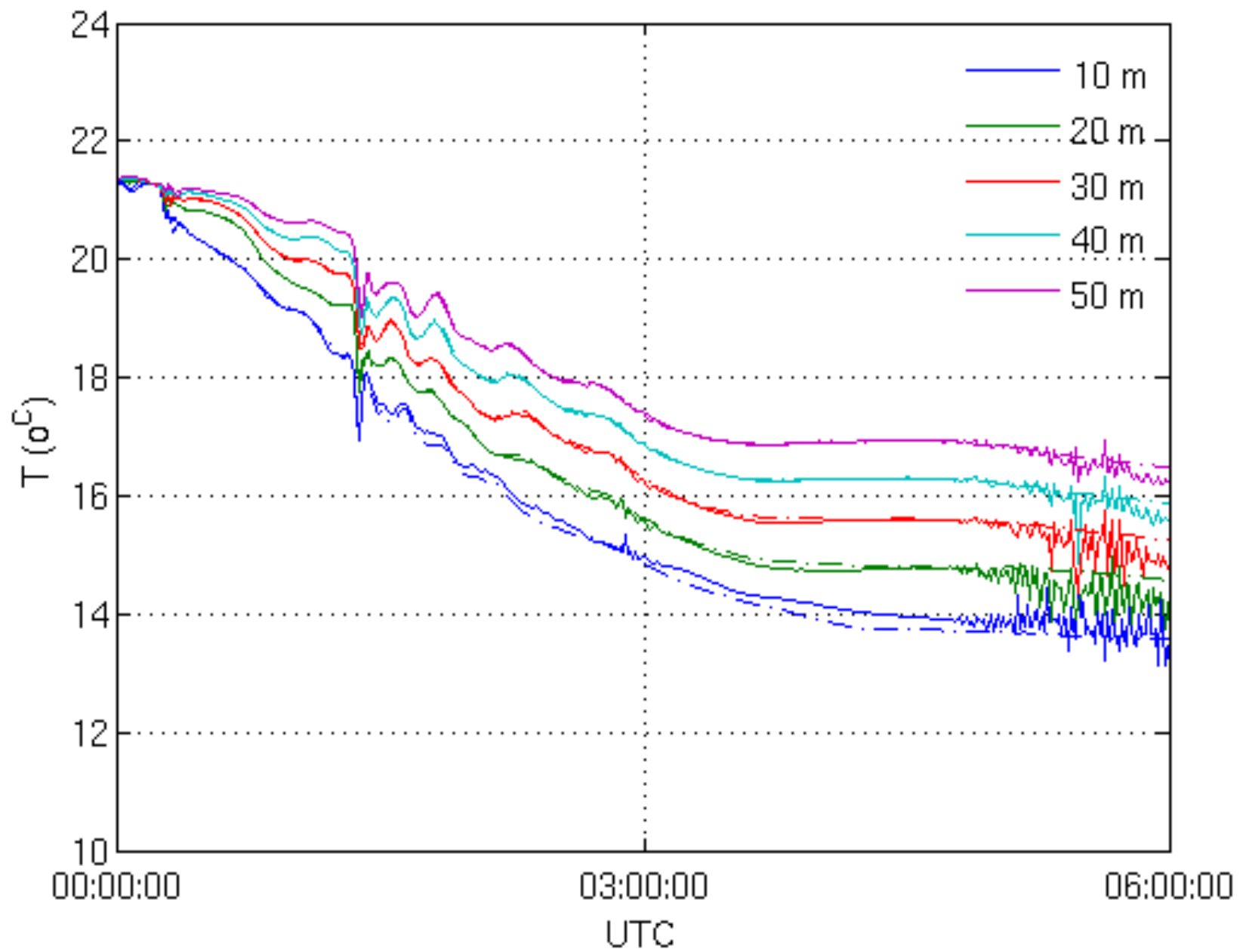
DRM-ADM0

CASES-99 - temperature

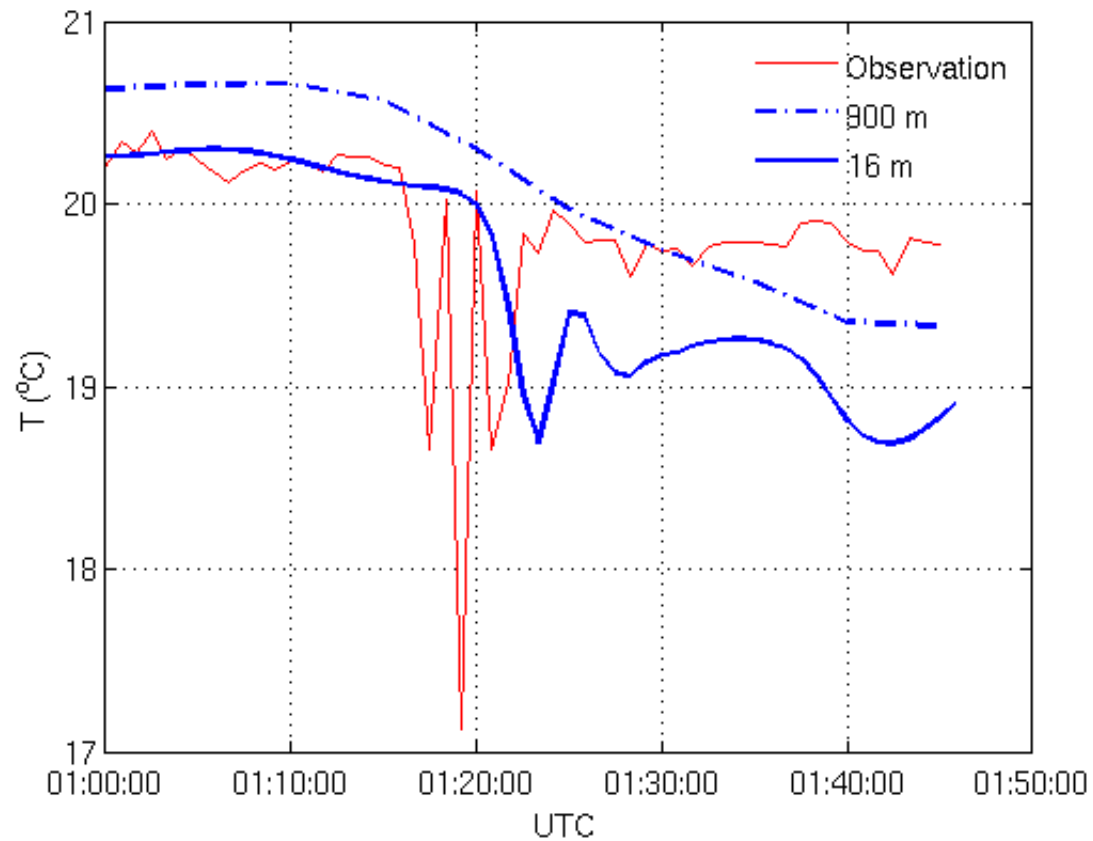


DRM – solid
TKE-1.5 - dashed

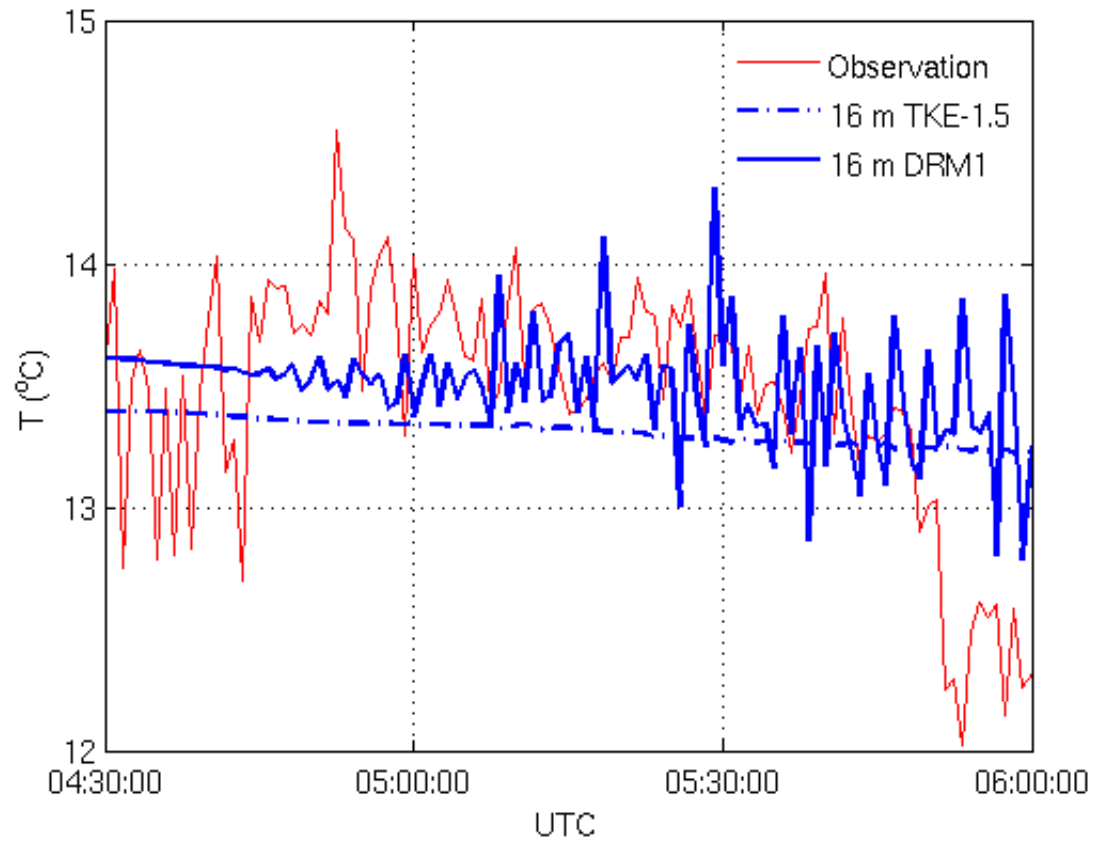
(Zhou and Chow)



Event 1 – captured at 16 m res

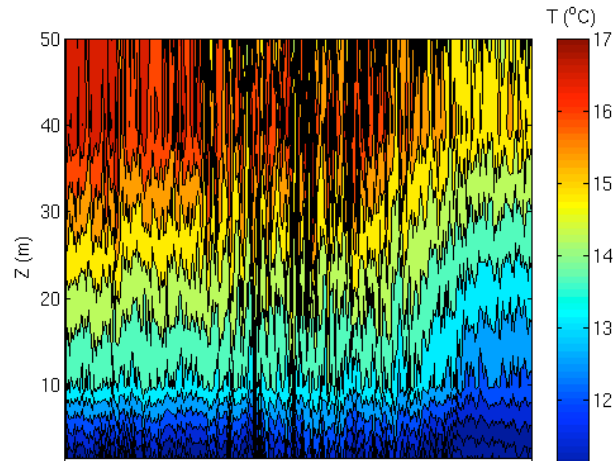


Event 2 – captured by DRM at 16 m

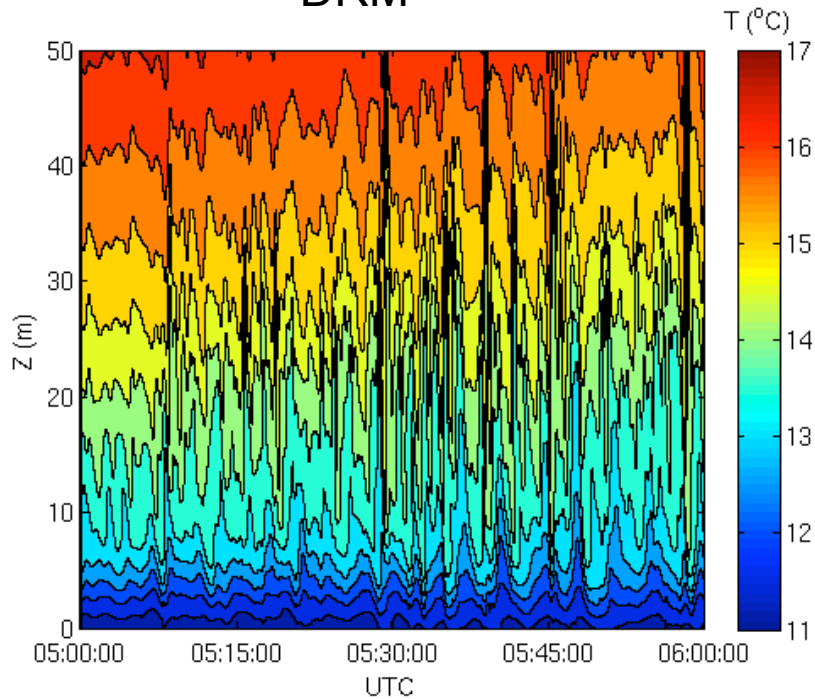


Event 2 – turbulence model choices

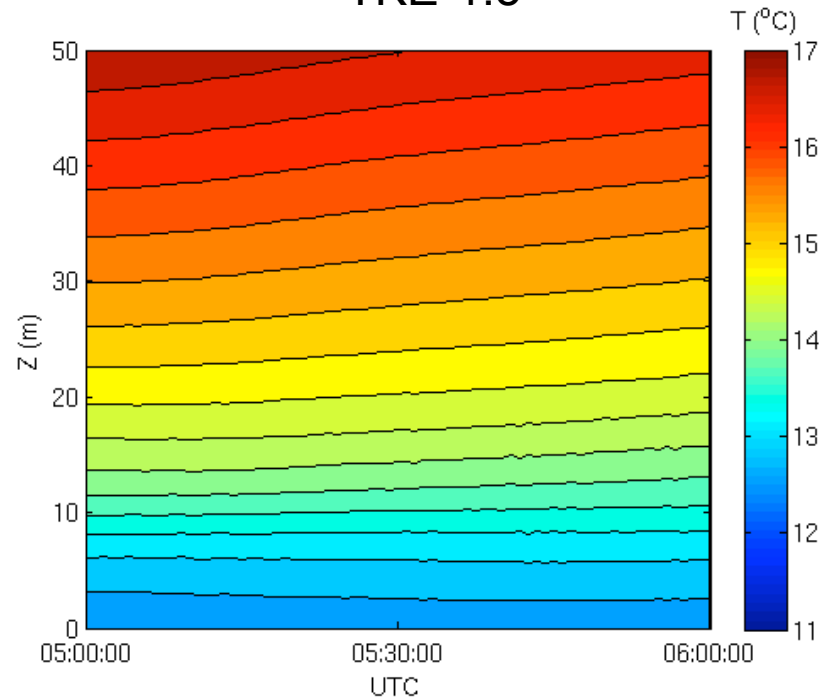
Observations



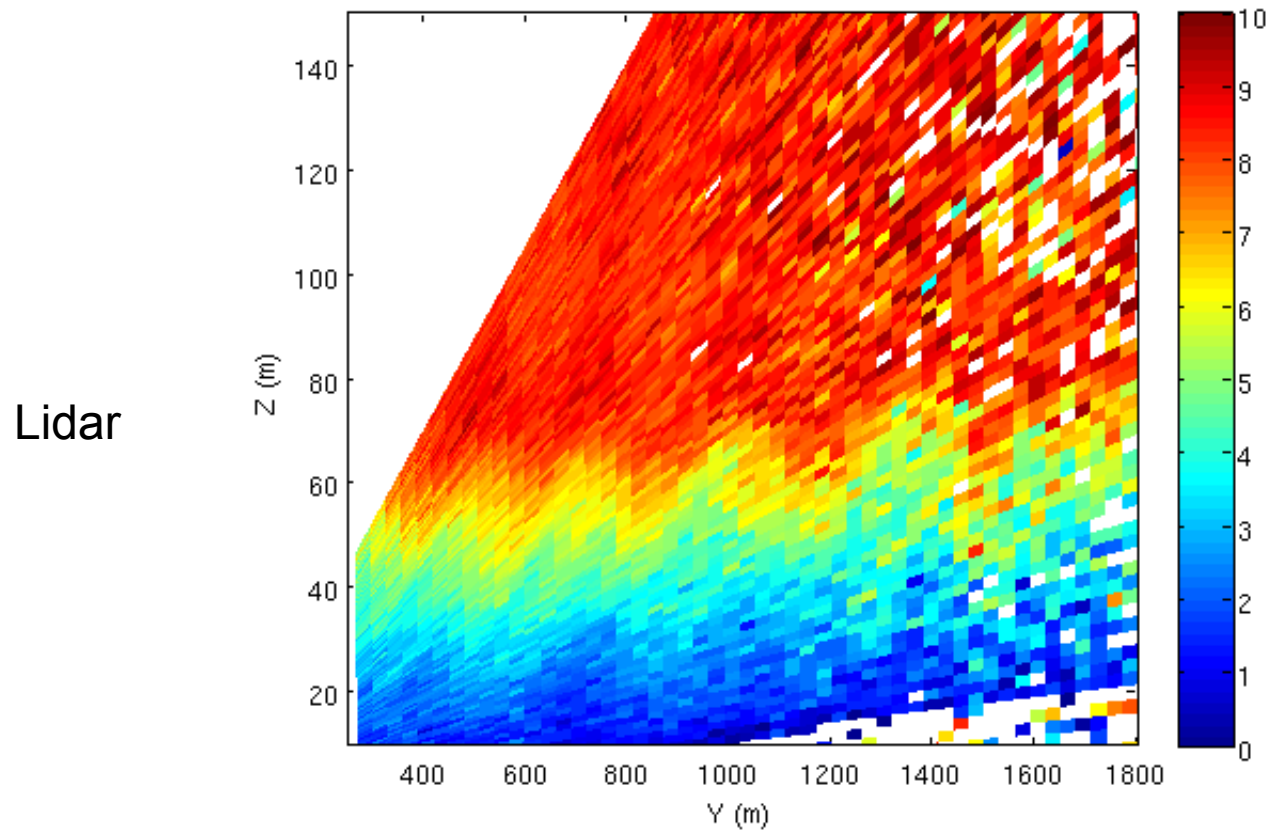
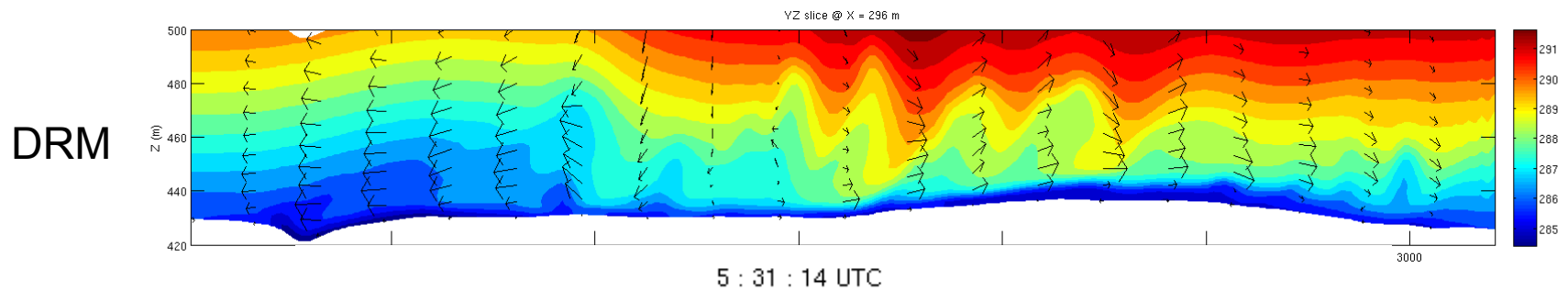
DRM



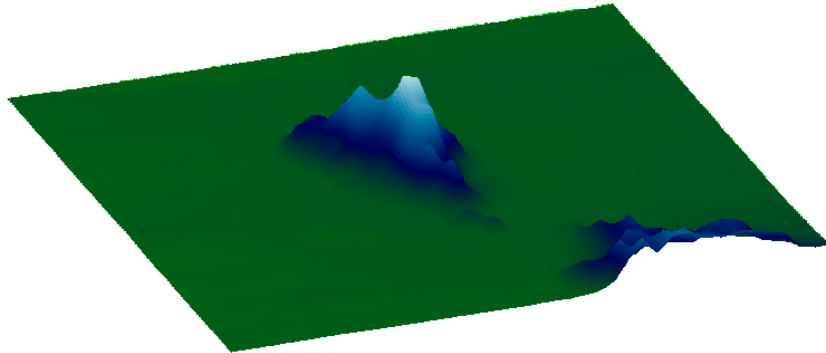
TKE-1.5



Kelvin-Helmholtz billows



What we are doing



- Weather and Research Forecasting (WRF) model
 - Mesoscale to microscale
- One tool for all scales
 - Improved turbulence models for LES
 - Immersed boundary method for steep terrain

MATERHORN: addressing challenges in the “Terra incognita”

- ▣ Steep topography
- ▣ Turbulence modeling
- ▣ Land-surface fluxes – similarity theory

