1. Use a calculator and the the fact that $\sin \theta \approx \theta$ for any small angle $\theta$ (in radians) to calculate an approximation of $\sin 3^{\circ}$. Then use your calculator again to compute $\sin 3^{\circ}$ directly and compare what you get with your approximation.
2. Let $r_{M}$ and $r_{S}$ be the radii of the Moon and the Sun respectively, and let $D_{M}$ and $D_{S}$ be the distances from the Earth to the Moon and Sun respectively. A Greek philosopher looks out at the sky and sees a solar eclipse (the precise time on which the Moon just barely but completely blocks out the light coming from the Sun). He is aware of the estimate of $2^{\circ}$ for the angular diameters of both the Sun and the Moon. He draws a very careful diagram of what he observes and correctly writes down all the information about $r_{M}, r_{S}, D_{M}$, and $D_{S}$ that his diagram provides. What diagram did he draw and what information did he write down?
3. Draw a circle of radius 3. Put in a diameter $A B$ and choose a point $C$ on the circle such that
the angle $\angle C A B$ is $30^{\circ}$. Determine the lengths of the segments $A C$ and $B C$. Find then area of the triangle $\triangle A B C$.
