Graph Similarity Scoring Applied to Abstract Meaning Representation

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Abstract Meaning Representation (AMR)

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Abstract Meaning Representation (AMR)

- AMRs are a semantic formalism which models sentences
 - Nodes represent concepts
 - Edges represent relations between concepts
 - Semantic roles
 - ARG0 = Agent
 - ARG1 = Patient
 - Example AMR for sentence: "John wants Mary to believe him."



Properties of AMRS as Graphs

- Some properties of AMRs
 - Directed Acyclic Graphs (DAGs)
 - Single rooted (focus of sentence)
 - Each AMR represents a sentence

Dataset

- Set of 10,312 AMRs from various news sources
- Average number of nodes is: 17.1
- Average number of edges is: 17.1
- More than half are trees

Dataset



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Kernel: Graph Similarity Scoring

- Use some AMRs for training
 - Given multiple candidate AMRs, choose best one
 - Need a way to score each choice
 - Want pairwise digraph similarity score
- Typical metric used for AMRs is SMATCH

SMATCH Score

- Semantic Match score
 - Find best matching of nodes
 - Score based on node and edge labels
 - F1 score
 - Node label
 - For each edge: edge type and end points

Pseudocode

Algorithm 1 Basic SMATCH pseudocode		20:	proc
1. r	procedure CETSMATCH(A P)	21:	a
1. 1	TI O	22:	S
2:	$maxF1 \leftarrow 0$	23:	f
3:	for mapping in node $Mapping(a,b) do$	24:	
4:	$correct \leftarrow 0$	25:	
5:	for alignedPair in mapping do	26:	
6:	if labels match then	27:	
7:	$correct \leftarrow correct + 1$	28:	
8:	for edges in a do	29:	r
<mark>9:</mark>	replace end-points with aligned node	es from	b
10:	if new edge exists in b then		
11:	$correct \leftarrow correct + 1$		
12:	$precision Denominator \leftarrow$ number of tr	riples in	b
13:	$recall Denominator \leftarrow$ number of triple	es in a	
14:	$precision \leftarrow correct/precisionDenomination \ for the second seco$	nator	
15:	$recall \leftarrow correct/recallDenominator$		
16:	$f1 \leftarrow (recall + precision)/2$		
17:	if $f1 > maxF1$ then		
<u>18:</u>	$maxF1 \leftarrow f1$		
19:	return maxF1		

Complexity

- Most direct way (previous slide) has complexity ~O(N!/(N-M)!*|M+E|)
 - N = number of nodes in larger graph
 - M = number of nodes in smaller graph
 - E = number of edges in smaller graph
- In practice, heuristics are used
 - Faster, but no optimality guarantee
 - I want to avoid heuristics, and parallelize instead

Implementation

- Python using networkX
- Just under 100 new lines (including some debugging lines)
- Highly recursive
 - Match node pair, match remaining subgraphs
 - Memory problems as problem size increases

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SMATCH Time with 4 node AMR



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Other Results

- Memory consumption is high
 - At graph sizes of 11 nodes, 10 edges each memory consumption approaches 20GB
 - Memory scales similar to runtime
- SMATCH score returned is correct (optimal)
 - In some cases this is better than popular heuristic
 - Will compare against heuristic more with enhanced algorithm

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Plans for Improvements

- Combine mapping and scoring
 - Score nodes as they are matched
 - Avoids recomputing
- Send subgraphs to worker machines for parallelism
- Score likely alignments first, use as cutoff

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- Denominator does not change (N+E)
- Can avoid unnecessary computation

Try SNAP

- Interface looks very similar to networkX
- They claim it is an order of magnitude faster

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