## Typical Military Base Electrical System

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## Introduction

The following report provides a typical electrical system within a military base. A detailed description of a portion of the military base's electrical is described. There is 13.8 kV feeder with an overall demand of 10.7 MW and is connected to the main grid with a series of transformers. This report focused on two building on the feeder: a utility building, (building A), and the combined training facility (building B), Figure 1. The feeder also supplies other loads in the immediate vicinity of buildings under study. Each parameter of the system is found from tables available from the literature.

Each building is configured as a microgrid. During a disturbance building A \& B can island and re-connected after the utility is restored. If the disturbance is long term the two buildings can operate as a single microgrid. This requires switches S1, S2 and S3 to be opened. This configuration allows the study of individual microgrids or the combined microgrid.

Figure 2 provides the details of Building A. This provides basic utility services to Building A. Power are provided through transformer, T3 that reduces the 13.8 kV to 480 volts. Inside the building are 100 kVA of loads outside of the microgrid. Within the microgrid there is a 400 hp chiller and 40 hp sweep pump, which are induction motors. The other loads are simple R/L loads. The active sources are three CERTS controlled devices; 2-300 kW generators and a 500 kW battery system. The additional PV and wind systems are constant power sources. The basic operational mode requires the two gen-set be off during grid connection operation. The storage is used for islanding and smoothing the intermittent from the PV and wind sources. During islanding the storage replaces the energy from the grid while the gen-sets come on line.

Figure 3 provides details of Building B. This is a training complex. It includes apartments, offices, training rooms and dinning facilities. Power is provided through transformer, T2 that reduces the 13.8 kV to 480 volts. Inside the building are 200 kVA of loads outside of the microgrid. Within the microgrid there the are both 3 -phase 480 volt loads and 120 volt single phase loads. All loads are assume to be basic impedance loads. The active sources are four CERTS controlled devices; 3-300 kW generators and a 1000 kW battery system. The 500 kW PV is modeled as a constant power sources. The basic operational mode requires the three genset be off during grid connection operation. The storage is used for islanding and smoothing the intermittent from the PV source. During islanding the storage replaces the energy from the grid while the gen-sets come on line. It would also be useful to look at islanding with the generation operating.

## MILATARY BASE MICRGOGRID PROJECT

Figure 1 shows the general overview of the electrical system, detailing the relative location and size of the main buildings: utility building, and training facility. It also provides the location of the transformers and main cables at different voltage levels. This illustrates one a many feeders from a 138 kV substation. The main transformer is rated at 40 MVA feeding 13.8 kV aerial feeder. This project focuses on two buildings each with microgrid features. In addition to the smart switches in both building there are three switches S1, S2 and S3 that enable combining buildings A and B into a single microgrid during long term loss of the utility.


Figure 1. Site Plan

Figure 2 shows the electrical diagram of the utility building (Building A) with details of load location and bus numerations. This building has a major chiller load, which provides cooling to building B . Building A is configured to islanding all but 100 kVA of load. It also has a 500 kW storage system to handle the load during islanding and two 300 kW NG generators to off load the storage during extended loss of the utility.


Figure 2. Building A (Utility Building) diagram

Figure 3 illustrates the electrical diagram of the training facilities, (Building B). Building B contains short-term living quarters, training rooms, kitchen and dining facilities, office space and building utilities equipment such as air handling equipment. Within the building there is a 3 phase 480 V feeder supplying 400 kW of loads. There is a 3-phase step down transformer to provide three single-phase 120 V service. The rated 120 V load is 800 kW . This building can also island. The storage is rated at $1,000 \mathrm{~kW}$ with three 300 kW ng generators to provide for extended loss of the utility.


Figure 3. Building B (Training Facility) diagram

## Power Flow Analysis

In order to study voltage profile at buses and power flows through buses, load flow analysis is carried out. All loads in the buildings are aggregated and considered as a load clusters. It assumed that all sources are disconnected except the storage. The energy storages is assumed to sink $25 \%$ of their ratings (charging mode). Table 1 and 2 show the load ratings for building A and B , respectively.

Table 1. Loading condition of building A

| Load | Bus | P [kW] | Q [kVAr] |
| :--- | :---: | :---: | :---: |
| Other Loads | U2 | 80 | 60 |
| Storage (25\% charging) | U3 | 125 | 0 |
| 400 hp Chiller | U6 | 298.2 | 106.9 |
| 40 hp Sweep Pump | U6 | 29.8 | 12.1 |
| Other Loads | U7 | 84 | 63 |
|  |  | TOTAL $:$ | $\mathbf{6 1 7}$ |
| $\mathbf{2 4 2}$ |  |  |  |

Table 2. Loading condition of building B

| Load | Bus | P [kW] | Q [kVAr] |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Other Loads | O1 | 200 | 97 |  |  |  |  |
| Storage (25\% charging) | O1 | 250 | 0 |  |  |  |  |
| Other Loads | O4 | 200 | 106.8 |  |  |  |  |
| Quarters | O5 | 200 | 65.7 |  |  |  |  |
| Offices | O6 | 100 | 25 |  |  |  |  |
| Training Facilities | O7 | 200 | 96.8 |  |  |  |  |
| Kitchen | O8 | 200 | 107.9 |  |  |  |  |
| Dining Facilities | O9 | 100 | 32.8 |  |  |  |  |
|  |  |  |  |  | TOTAL $:$ | $\mathbf{1 , 4 5 0}$ | $\mathbf{5 3 2}$ |

Figure 4 shows the results of load flow obtained for the site. This figure is labeled with the real and reactive power flow. At each key bus the voltage in kV and pu is given. On bus B1 the voltage has drooped due to the main transformer to a pu value of 0.9824 . The pu voltage at Building B, due to 1.7 mile of aerial line is 0.9261 . This represents a voltage droop less than $6 \%$ on the 12.8 kV feeder.


Figure 4. Load flow results for the 13.8 kV feeder

## Details of Electrical System

## Transformers

There are 6 transformers in total in this system, five of them within the site. The transformer data is summarized in Table 3, where all the voltages, ratings and connection types are listed.

Table 3. Transformer Summary

| Transformer \# | $\mathbf{V}_{\text {primary }}$ <br> $[\mathbf{k V}]$ | $\mathbf{V}_{\text {secondary }}$ <br> $[\mathbf{k V}]$ | Actual Load <br> $[\mathbf{k W}]$ | Rating <br> $[\mathbf{k V A}]$ | Connection |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 138 | 13.8 | 27,004 | 40,000 | Delta-Delta |
| 2 | 13.8 | 0.48 | 1,104 | 1,500 | Delta-Wye-n |
| 3 | 13.8 | 0.48 | 440 | 750 | Delta-Wye-n |
| 4 | 0.48 | 0.48 | 1,000 | 1,500 | Delta-Wye-n |
| 5 | 0.48 | 0.208 | 800 | 1,000 | Wye-n -Wye-n |
| 6 | 0.48 | 0.48 | 500 | 750 | Delta-Wye-n |

Each transformer will be described and the electrical parameters evaluated.

## Transformer T1

The primary side busbar is at 138 kV , and the secondary busbar is at 13.8 kV . The secondary busbar is connected to the distribution aerial line of 13.8 kV . This transformer has to carry the full load of the plant, which is of about 27 MW . The size of this transformer is chosen to be 40 MW for standardization. This transformer is delta-wye with neutral solidly grounded on the secondary, and has a variable tap changer. From voltage levels and ratings, this transformer typically will have a percent impedance of $5 \%$ and a ratio $X / R=11$. With this data in hand it is possible to obtain the transformer data as:
$X=\frac{V^{2} Z \%}{S}=\frac{\left(138.10^{3}\right)^{2} 0.05}{40.10^{6}}=23.805 \Omega$
$R=\frac{X}{11}=2.164 \Omega$

## Transformer T2

The primary side at 13.8 kV is connected to a busbar with the underground cable coming from the distribution system. The secondary side, at 480 V , feeds office building which includes barracks, offices, and training rooms. The combined load is $1,200 \mathrm{~kW}$, but redundancy requirements with transformer T2 ask for a much higher capability, such as charging of $1,000 \mathrm{~kW}$ storage device. This translates in a 2 MVA rating for transformer T1. This transformer is delta-wye connected and has a solidly grounded neutral at the secondary. The percent impedance of this transformer is $5.7 \%$ and $\mathrm{X} / \mathrm{R}=6$. The reactance and resistance of the transformer are:
$X=\frac{(13800)^{2} 0.0575}{2.10^{6}}=5.475 \Omega$
$R=\frac{X}{6}=0.9125 \Omega$

## Transformer T3

This transformer is located in the utility building and is needed to feed loads which are cooling characteristic dominantly. The primary side at 13.8 kV is connected to the distribution aerial line. The secondary side is at 480 V . Although the current load is of 492 kW , the rating for this transformer is 750 kVA . The percent impedance of this transformer is $5.85 \%$ and the ratio $\mathrm{X} / \mathrm{R}=4.7$, which yield:
$X=\frac{(13800)^{2} 0.0585}{0.75 \cdot 10^{6}}=14.85 \Omega$
$R=\frac{X}{4.7}=3.16 \Omega$

## Transformer T4

This transformer is a connection transformer of energy storage in the office building. The voltage levels of primary and secondary side are 480 V . Storage device is $1,000 \mathrm{~kW}$ and the rating for this transformer is chosen as $1,500 \mathrm{kVA}$. The percent impedance of this transformer is $5.8 \%$ and the ratio $\mathrm{X} / \mathrm{R}=6.5$, which yield:
$X=\frac{(480)^{2} 0.058}{1,5.10^{6}}=0.0089 \Omega$
$R=\frac{X}{5.8}=0.0014 \Omega$

## Transformer $\mathbf{T 5}$

This transformer is located in the office building and feeds the loads which are mostly single phase. The primary side is at 480 V and the secondary side is at 208 V . The total load is of 800 kW and the rating for this transformer is 1000 kVA . The percent impedance of this transformer is $5 \%$ and the ratio $\mathrm{X} / \mathrm{R}=5.1$, which yield:
$X=\frac{(480)^{2} 0.05}{1.10^{6}}=0.0115 \Omega$
$R=\frac{X}{5.1}=0.0023 \Omega$

## Transformer T6

This transformer is another connection transformer used in energy storage located in the utility building. The voltage levels of primary and secondary side are 480 V . Storage device is 500 kW and the rating for this transformer is chosen as 750 kVA . The percent impedance of this transformer is $5.65 \%$ and the ratio $\mathrm{X} / \mathrm{R}=4.5$, which yield:
$X=\frac{(480)^{2} 0.0565}{0.75 .10^{6}}=0.0174 \Omega$
$R=\frac{X}{4.5}=0.0039 \Omega$

## Lines and Cables

Table 4 shows the current capability for cables in raceways or direct burial and is from [1] on page 196.

Table 4. Current Capability - Raceway and Buried

| $\begin{aligned} & \text { Size } \\ & \text { AWG } \\ & \text { or } \\ & \mathbf{M C M} \end{aligned}$ | Rubber <br> Type R <br> Type RW <br> Type RU <br> Type RUW <br> -(14-2) <br> Type RH-RW <br> Thermo- <br> plastic <br> Type T <br> Type TW | Rubber Type RH Type RUH (14-2) <br> Type RH-RW <br> Type RHW | Paper <br> Thermo- <br> plastic <br> Asbestos <br> Type TA <br> Var-Cam <br> Type V <br> Asbestos <br> Var-Cam <br> Type AVB <br> MI Cable <br> Type RHH** | Asbestos Var-Cam Type AVA Type AVL | Impregnated Asbestos <br> Type AI (14-8) <br> Type AIA | Asbestos <br> Type A <br> (14-8) <br> Type AA |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
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|  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |
| AMPERES* PER CONDUCTOR |  |  |  |  |  |  |
| 14 | 15 | 15. | 25 | 30 | 30 | 30 |
| 12 | 20 | 20 | - 30 | 35 | 40 | 40 |
| 10 | 30 | 30 | 40 | 45 | 50 | 55 |
| 8 | 40 | 45 | 50 | 60 | 65 | 70 |
| 6 | 55 | 65 | 70 | 80 | 85 | 95 |
| 4 | 70 | 85 | 90 | 105 | 115 | 120 |
| 3 | 80 | 100 | 105 | 120 | 130 | 145 |
| 2 | 95 | 115 | 120 | 135 | 145 | 165 |
| 1 | 110 | 130 | 140 | 160 | 170 | 190 |
| 1/0 | 125 | 150 | 155 | 190 | 200 | 225 |
| $2 / 0$ | 145 | 175 | 185 | 215 | 230 | 250 |
| 3/0 | 165 | 200 | 210 | 245 | 265 | 285 |
| 4/0 | 195 | 230 | 235 | 275 | 310 | 340 |
| 250 | 215 | 255 | 270 | 315 | 335 | $\cdots$ |
| 300 | 240 | 285 | 300 | 345 | 380 | . $\cdot$ |
| 350 | 260 | 310 | 325 | 390 | 420 | . . |
| 400 | 280 | 335 | 360 | 420 | 450 | . + |
| 500 | 320 | 380 | 405 | 470 | 500 | . . |
| 600 | 355 | 420 | 455 | 525 | 545 | . $\cdot$ |
| 700 | 385 | 460 | 490 | 560 | 600 | . . |
| 750 | 400 | 475 | '500 | 580 | 620 | . . |
| 800 | 410 | 490 | 515 | 600 | 640 | . . |
| 900 | 435 | 520 | 555 |  | . . | . $\cdot$ |
| 1000 | 455 | 545 | 585 | 680 | 730 | . |
| 1250 | 495 | 590 | 645 |  | . . | . |
| 1500 | 520 | 625 | 700 | 785 | . . | - . . |
| 1750 | 545 | 650 | 735 |  | . . . | . . |
| 2000 | 560 | 665 | 775 | 840 |  |  |
| CORRECTION FACTORS FOR ROOM TEMPERATURES OVER 30 C (86 F) |  |  |  |  |  |  |
| C F |  |  |  |  |  |  |
| 40104 | . 82 | . 88 | . 90 | . 94 | . 95 | * |
| 45113 | . 71 | . 82 | . 85 | . 90 | . 92 | . . |
| 50122 | . 58 | . 75 | . 80 | . 87 | . 89 | , + |
| 55131 | . 41 | . 67 | . 74 | .83 | . 88 | -91 |
| 60140 | . . | . 58 | . 67 | . 79 | . 83 | .91 |
| 70.158 | $\cdots$ | . 35 | . 52 | . 71 | . 76 | . 87 |

Table 5 is used to find the electrical parameters of the cables when the size is known: we are interested only in the first row of data, the one relative to cables below 1 KV . Table 5 appears in [2] on page 674.

Table 5.60 Hz characteristics of three-conductor belted paper-insulated cables


Table 6. Cable Summary

| Branch | Voltage <br> [kV] | Actual Load <br> [kW] | Worse pf | $\begin{aligned} & \text { Actual } \\ & {[\mathrm{kVA}]} \end{aligned}$ | Rating $[\mathbf{k V A}]$ | $\begin{gathered} \hline \text { Loads } \\ \text { Supplied } \end{gathered}$ | Current per phase [A] | $\begin{aligned} & \hline \text { Cable } \\ & \text { Type } \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| T3>U1 | 0.48 | 495 | 0.88 | 562.5 | 650 | All plant | 782 | 3-MCM 300 |
| U1>U2 | 0.48 | 80 | 0.80 | 100 | 100 | OL | 120 | AWG 1 |
| U3>U4 | 0.48 | 40 | 0.98 | 41 | 41 | PV Sys | 50 | AWG 6 |
| U3>U5 | 0.48 | 4 | 0.96 | 4.15 | 4.15 | Wind Sys | 5 | AWG 6 |
| U3>U6 | 0.48 | 412 | 0.91 | 450.5 | 500 | IM, OL | 602 | 3-MCM 4/0 |
| U6>U7 | 0.48 | 84 | 0.80 | 105 | 105 | OL | 127 | AWG 1 |
| T2>01 | 0.48 | 1,200 | 0.92 | 1305 | 1500 | All plant | 1,805 | 3-MCM 750 |
| 02>03 | 0.48 | 1,000 | 1.00 | 1,000 | 1,000 | Storage | 1,204 | 3-MCM 600 |
| 02>04 | 0.48 | 200 | 0.90 | 222 | 222 | OL | 267 | AWG 300 |
| 02>05 | 0.208 | 200 | 0.95 | 210.5 | 225 | Quarters | 625 | 3-MCM 4/0 |
| 02>06 | 0.208 | 100 | 0.97 | 103 | 120 | Offices | 333 | AWG 400 |
| 02>07 | 0.208 | 200 | 0.90 | 222 | 222 | Trn. Fac. | 616 | 3-MCM 4/0 |
| 02>08 | 0.208 | 200 | 0.88 | 227 | 227 | Kitchen | 631 | 3-MCM 4/0 |
| 02>09 | 0.208 | 100 | 0.95 | 105 | 105 | Ding. Fac | 291 | AWG 350 |


| Branch | Cable Size | Length $[\mathbf{f t}]$ | $\boldsymbol{R}_{\boldsymbol{s}}[\boldsymbol{\Omega}]$ | $\boldsymbol{X}_{\boldsymbol{s}}[\boldsymbol{\Omega}]$ |
| :---: | :---: | :---: | :---: | :---: |
| T3>U1 | 3-MCM 300 | 10 | 0.00014 | 0.00008 |
| U1>U2 | AWG 1 | 50 | 0.0079 | 0.0016 |
| U3>U4 | AWG 6 | 500 | 0.2515 | 0.0186 |
| U3>U5 | AWG 6 | 500 | 0.0252 | 0.0019 |
| U3>U6 | 3-MCM 4/0 | 80 | 0.0017 | 0.0007 |
| U6>U7 | AWG 1 | 50 | 0.0079 | 0.0016 |
| T2>01 | 3-MCM 750 | 15 | 0.00009 | 0.0006 |
| O2>O3 | 3-MCM 600 | 50 | 0.00038 | 0.0004 |
| O2>O4 | AWG 300 | 140 | 0.0062 | 0.0036 |
| O2>O5 | 3-MCM 4/0 | 120 | 0.0025 | 0.001 |
| O2>O6 | AWG 400 | 150 | 0.0050 | 0.0037 |
| O2>O7 | 3-MCM 4/0 | 200 | 0.0041 | 0.0017 |
| O2>08 | 3-MCM 4/0 | 170 | 0.0035 | 0.0015 |
| O2>O9 | AWG 350 | 250 | 0.0096 | 0.0063 |

## Branch at 13.8 kV

Aluminum Conductor Steel Reinforced (ACSR) type cables are used for the branches at the 138 kV .

## Branch from Bus 1 to 2

This aerial line starts bus 1 and continues to bus 2 to the plant and other loads are connected. The total load this line feeds is about 11 MVA, so the line is designed to be able to carry 12 MVA. Each phase of the transmission line must be able to carry $20.000 /\left(\sqrt{3}^{*} 13.8\right)=502$ A. For this current, an ACSR 336.4 (Linnet) fits the need. We can obtain the following data;

Rs' $^{\prime}=0.306 \Omega /$ mile $\quad \mathrm{Xs}^{\prime}=0.7712 \Omega / \mathrm{mile}$

The length of this branch is of 1 mi. , therefore the data is:
$\mathrm{Rs}=0.306 * 1=0.306 \Omega \quad \mathrm{Xs}=0.7712 * 1=0.7712 \Omega$

## Branch from Bus 2 to 3

This line is 0.2 mi . long, leaving from bus 2 and reaching the 4 MVA load connection. The total load this line almost the same as previous branch. Therefore the cable size and data is the same, too. The length of this branch is of 0.2 mi ., therefore the data is:
$\mathrm{Rs}=0.306 * 0.2=0.0612 \Omega \quad \mathrm{Xs}=0.7712 * 0.2=0.1542 \Omega$

## Branch from Bus 3 to 4

This aerial line supplies the Building 2 of plant and 5 MVA load. The total load this line feeds is about 6.5 MVA, but the line is designed to be able to carry 7,5 MVA, considering load growth. Each phase of the transmission line must be able to carry $7500 /\left(\sqrt{3}^{*} 13.8\right)=313 \mathrm{~A}$. Therefore we can choose the same cable size; ACSR 336.4 (Linnet).

The length of this branch is of 0.5 mi ., therefore the data is following:
$\mathrm{Rs}=0.306 * 0.5=0.1530 \Omega \quad \mathrm{Xs}=0.7712 * 0.5=0.3856 \Omega$

## Branch at 0.48 kV

## Branch from T3 to U1

This branch is connection between the transformer T3 and bus U1. This branch feeds all loads in the utility building containing about 495 kW load with 400 hp alone of induction motors. If the power factor is assumed as 0.88 , then the apparent power requirement for this part of the network is: $495 / 0.88=650 \mathrm{kVA}$. The current requirement per phase for cable is: $650 /(\sqrt{3} * 0.48)=782 \mathrm{~A}$. From Table 4, it is possible to see that we need three parallel connected wires of size MCM 300 choosing insulation RHW type. From Table 5, we obtain the following data:

Rs' $^{\prime}=0.220 / 3=0.0733 \Omega / \mathrm{mile} \quad \mathrm{Xs}^{\prime}=0.128 / 3=0.0427 \Omega / \mathrm{mile}$
The length of this branch is of 10 ft , therefore the data is:
$\mathrm{Rs}=0.0733 * 10 / 4970=0.00014 \Omega \quad \mathrm{Xs}=0.0427 * 10 / 4970=0.00008 \Omega$

## Branch from U1 to U2

This branch feeds the some other 480V loads of the factory. This is a short cable that starts from the smart switch panel to panel which feeds the total 100 kVA load. The current requirement per phase for cable is: $100 /(\sqrt{3} * 0.48)=120$ A. From Table 4, we see that a cable size AWG 1 fits our needs when insulation RHW is chosen. From Table 5, we obtain:
$\mathrm{Rs}^{\prime}=0.786 \Omega / \mathrm{mile} \quad \mathrm{Xs}^{\prime}=0.156 \Omega / \mathrm{mile}$
The length of this branch is of 50 ft , therefore the data is:
$\mathrm{Rs}=0.786 * 50 / 4970=0.0079 \Omega \quad \mathrm{Xs}=0.156 * 50 / 4970=0.0016 \Omega$

## Branch from U3 to U4

This branch starts from bus U3 and reaches the cabin where 40 kW PV system is connected. Considering the pf 0.99 , the apparent power is about 41 kVA . The current requirement per phase for cable is: $41 /(\sqrt{3} * 0.48)=50$ A. From Table 4 , we need cable size AWG 6. From Table 5, we obtain:

Rs'= $2.5 \Omega / \mathrm{mile} \quad \mathrm{Xs}^{\prime}=0.185 \Omega / \mathrm{mile}$
The length of this branch is of 500 ft , the data is:
$R s=2.5 * 500 / 4970=0.2515 \Omega \quad \mathrm{Xs}=0.185 * 500 / 4970=0.0186 \Omega$

## Branch from U3 to U5

This branch connects the bus U3 to 4 kW wind microsource system. Assuming the apparent power 4.15 kVA , the current requirement per phase for cable is: $4.15 /(\sqrt{3} * 0.48)=5 \mathrm{~A}$. From Table 4, we need cable size AWG 6. The length of this branch is of 500 ft , therefore the data is:
$\mathrm{Rs}=2.5 * 500 / 4970=0.0252 \Omega \quad \mathrm{Xs}=0.185 * 500 / 4970=0.0019 \Omega$

## Branch from U3 to U6

This branch feeds the bus U6 which two induction motors and other loads are connected. The total load is 450 kVA , but considered as 500 kVA . The current requirement per phase for cable is: $500 /(\sqrt{3} * 0.48)=602 \mathrm{~A}$. From Table 4, we see that three parallel connected cables which are size of MCM 4/0 fit our needs when insulation RHW is chosen. From Table 5, we obtain:

Rs' $^{\prime}=0.310 / 3=0.103 \Omega / \mathrm{mile} \quad \mathrm{Xs}^{\prime}=0.130=0.043 \Omega / \mathrm{mile}$
The length of this branch is of 80 ft , the data is:
$\mathrm{Rs}=0.103 * 80 / 4970=0.0017 \Omega \quad \mathrm{Xs}=0.043 * 80 / 4970=0.0007 \Omega$

## Branch from U6 to U7

This branch feeds other 480V loads of the factory which is connected to bus U6. This short cable feeds the total 105 kVA load. The current requirement per phase for cable is: $105 /(\sqrt{3} * 0.48)=$ 127 A. From Table 4, we need cable size AWG 1. The length of this branch is of 50 ft , therefore the data is:
$R s=0.786 * 50 / 4970=0.0079 \Omega \quad \mathrm{Xs}=0.156 * 50 / 4970=0.0016 \Omega$

## Branch from T2 to $\mathbf{O 1}$

This branch is connection between the transformer T2 and O1 bus. This branch feeds all loads in the office building. If the power factor is assumed as 0.92 , then the apparent power requirement for this part of the network is: $1200 / 0.92=1305 \mathrm{kVA}$. Cable is designed to carry 1500 kVA by considering future needs. The current requirement per phase for cable is: $1500 /(\sqrt{3} * 0.48)=$ 1,805 A. From Table 4, it is possible to see that we need three parallel wires of size MCM 750 choosing insulation AIA type. From Table 5, we obtain the following data:

Rs' $=0.091 / 3=0.0303 \Omega / \mathrm{mile} \quad$ Xs' $^{\prime}=0.623=0.2077 \Omega / \mathrm{mile}$
The length of this branch is of 15 ft , therefore the data is:
$\mathrm{Rs}=0.0303 * 15 / 4970=0.00009 \Omega \quad \mathrm{Xs}=0.2077 * 15 / 4970=0.0006 \Omega$

## Branch from $\mathbf{O 2}$ to $\mathbf{O 3}$

This branch connects bus O 2 and 1000 kW storage device. The current requirement per phase for cable is: $1000 /\left(\sqrt{3}^{*} 0.48\right)=1204$ A. From Table 4 we need three parallel cables sized MCM 600 choosing insulation RHW type From Table 5:

Rs' $^{\prime}=0.113 / 3=0.0377 \Omega / \mathrm{mile} \quad \mathrm{Xs}^{\prime}=0.122 / 3=0.0407 \Omega / \mathrm{mile}$
The length of this branch is of 50 ft , the data is:
$R s=0.0377 * 50 / 4970=0.00038 \Omega \quad \mathrm{Xs}=0.0407 * 50 / 4970=0.0004 \Omega$

## Branch from $\mathbf{O 2}$ to $\mathbf{O 4}$

This branch is connection between bus O 2 and other 200 kW loads including training and kitchen. If the power factor is assumed as 0.90 , then the apparent power requirement for this part of the network is: $200 / 0.90=222 \mathrm{kVA}$. The current requirement per phase for cable is: $222 /(\sqrt{3} * 0.48)=267$ A. From Table 4, it is possible to see that we need a wire of size AWG 300 choosing insulation AVL type. The length of this branch is of 140 ft , therefore the data is:
$\mathrm{Rs}=0.0733 * 140 / 4970=0.0021 \Omega \quad \mathrm{Xs}=0.0427 * 140 / 4970=0.0012 \Omega$

## Branch at 0.208 kV

## Branch from $\mathbf{O 2}$ to $\mathbf{O 5}$

This branch provides connection between transformer T4 and quarters loads which is 200 kW . Considering the pf 0.95 , the apparent power is about 210.5 kVA . The cable is designed to carry 225 kVA for potential extension. The current requirement per phase for cable is: $225 /(\sqrt{3} * 0.208)$ $=625$ A. From Table 4, we need three cables sized of MCM 4/0 choosing insulation RHW type. The length of this branch is of 120 ft , therefore the data is:
$\mathrm{Rs}=0.103 * 120 / 4970=0.0025 \Omega \quad \mathrm{Xs}=0.043 * 120 / 4970=0.001 \Omega$

## Branch from O2 to O6

This branch feeds the 100 kW office loads. Assuming pf to be 0.97 , the apparent power is about 103 kVA . The cable is designed to carry 120 kVA for some adding in the future. The current requirement per phase for cable is: $120 /\left(\sqrt{3}^{*} 0.208\right)=333 \mathrm{~A}$. From Table 4, we need a cable size of AWG 400. From Table 5, we obtain the following data:

Rs'= $0.166 \Omega / \mathrm{mile} \quad X s^{\prime}=0.124 \Omega$ /mile
The length of this branch is of 150 ft , the data is:

## Branch from $\mathbf{O 2}$ to $\mathbf{O 7}$

This branch starts from transformer T4 and feeds 200 kW facilities load. Considering the pf 0.90 , the apparent power is about 222 kVA . The current requirement per phase for cable is: $222 /(\sqrt{3} * 0.208)=616$ A. From Table 4 , three cables sizes of MCM $4 / 0$ fit our needs when insulation RHW is chosen. The length of this branch is of 200 ft , therefore the data is:
$R s=0.103 * 200 / 4970=0.0041 \Omega \quad X s=0.043 * 200 / 4970=0.0017 \Omega$

## Branch from $\mathbf{O 2}$ to $\mathbf{O 8}$

This branch connects transformer T4 to 200 kW kitchen load. Assuming pf to be 0.88 , the apparent power is about 227 kVA . The current requirement per phase for cable is: $227 /(\sqrt{3} * 0.208)=631$ A. From Table 4 , we need three cables which are sized of MCM 4/0. The length of this branch is of 170 ft , therefore the data is:
$\mathrm{Rs}=0.103 * 170 / 4970=0.0035 \Omega \quad \mathrm{Xs}=0.043 * 170 / 4970=0.0015 \Omega$

## Branch from O2 to $\mathbf{O 9}$

This branch feeds the 100 kW dining facilities. Considering the pf 0.95 , the apparent power is about 105 kVA . The current requirement per phase for cable is: $105 /(\sqrt{3} * 0.208)=291 \mathrm{~A}$. From Table 4, we need a cable size of AWG 350 . From Table 5, we obtain the following data:

Rs'= $0.190 \Omega /$ mile $\quad \mathrm{Xs}^{\prime}=0.126 \Omega / \mathrm{mile}$
The length of this branch is of 250 ft , the data is:
$\mathrm{Rs}=0.190 * 250 / 4970=0.0096 \Omega \quad \mathrm{Xs}=0.126 * 250 / 4970=0.0063 \Omega$

## Loads

The following section describes the loads in detail: each load is defined by where it is located, what ratings it has and by the connections with the distribution system. Every load has its own model and a brief explanation describes how to obtain the electrical parameters for all loads in the plant.

## Induction Motors

There are 2 induction motors in the utility building. One is for chiller and the other is for sweep pump. These motors will be represented with a series equivalent impedance model. The data required to find the parameters of the induction motors are terminal voltage, active power and the pole pairs of the machine. In this case we assume that each machine has two poles. Our goal is to obtain the five parameters that fully define the single phase equivalent circuit of an induction machine as represented in Figure 5.


Figure 5. Single phase diagram of and induction machine
Resistances $r_{1}$ and $r_{2}$ are respectively the stator and rotor winding resistance, while $s$ is the slip at which the machine is operating. Reactances $x_{1}$ and $x_{2}$ represent the leakage part of the flux in the machine, respectively on the stator and on the rotor windings. Reactance $x_{\mathrm{m}}$ represents the magnetizing inductance, responsible for creating the main magnetic field of the machine.

When expressed in per unit of the machine, due to design constraints, the leakage inductance is always about 0.2 in per unit, traditionally split in equal amounts on the rotor and stator circuits. Therefore:
$x_{1}=0.1$ pu
$x_{2}=0.1 \mathrm{pu}$
To obtain the values for the resistance terms, it is necessary to calculate the pole pitch term. We have two induction motors rated 400 hp and 40 hp . Remembering that $\mathrm{P}=2$, then the pole pitch results from:
$\tau_{P}=0.095\left(\frac{h p}{\frac{P}{2}}\right)^{\frac{6}{23}}$
Now it is possible to calculate the resistive terms as:
$r_{1}=0.0033\left(\tau_{P}\right)^{-1}$
$r_{2}=0.004\left(\tau_{P}\right)^{-1}$
The numerical values for the resistances are expressed in pu of the machine ratings. Figure 6 shows the values of the resistances versus the machine size.


Figure 6. Per Unit Values of Resistance Versus Machine Size
Therefore we have following values:
For 40 hp machine;
$r_{1}=0.01327 \mathrm{pu}$
$r_{2}=0.01608 \mathrm{pu}$
For 400 hp machine;
$r_{1}=0.007278 \mathrm{pu}$
$r_{2}=0.008821 \mathrm{pu}$
The value for the magnetizing inductance can be found with a similar process, involving the pole pitch previously calculated:

Figure 7 shows the plot of magnetizing inductance versus the size of the machine, and it results that:
$x_{\mathrm{m}}=4.987 \mathrm{pu}$ (for 40 hp machine)
$x_{\mathrm{m}}=6.734 \mathrm{pu}$ (for 400 hp machine)


Figure 7. Per Unit Magnetizing Inductance Versus Machine Size
We need to convert these per unit values in actual units of Ohms, operation that we can do by defining the base of the machine as:
$Z_{B}=\frac{V_{B}{ }^{2}}{S_{B}}$
$V_{B}=480 \mathrm{~V}$
$S_{B}=40 * 0.7457=29.828 \mathrm{~kW}$
$S_{B}=400 * 0.7457=298.28 \mathrm{~kW}$
$Z_{B}=7.720 \Omega$ (for 40 hp machine)
$Z_{B}=0.772 \Omega$ (for 400 hp machine)
Notice that the base power is taken to be the three phase active power rating of the machine, rather than the apparent power. This convention is used following the guidelines that brought to the formulas to calculate the values of the parameters in per unit. It is possible to find the values of the parameters in actual units as in Table 8.

Table 8. Induction machine parameters

| 40 hP machine | 400 hP machine |
| :--- | :--- |
| $x_{1}=0.7720 \Omega$ | $x_{1}=0.0772 \Omega$ |
| $x_{2}=0.7720 \Omega$ | $x_{2}=0.0772 \Omega$ |
| $r_{1}=0.1024 \Omega$ | $r_{1}=0.0056 \Omega$ |
| $r_{2}=0.1241 \Omega$ | $r_{2}=0.0068 \Omega$ |
| $x_{m}=38.5 \Omega$ | $x_{m}=5.1986 \Omega$ |

We now have five out of the six parameters that fully describe the induction machine as represented in Figure 5, we still miss the numerical value of the slip. This value depends on the
operating point of the machine. The equivalent impedance of the circuit as seen from the terminals is given by:
$Z_{e q}=r_{1}+j x_{1}+\frac{j x_{m} \frac{r_{2}}{S}-x_{m} x_{2}}{\frac{r_{2}}{s}+j\left(x_{m}+x_{2}\right)}$
The power at the terminal is:
$P=\operatorname{Re}\left(\frac{V^{2}}{Z_{e q}}\right)$
Figure 8a shows the plot of the active power as a function of the slip: there are two solutions for the slip when a power of $29.828 \mathrm{KW}(40 \mathrm{Hp})$ is demanded at the terminals, but induction machine theory says that the only stable operating point is on the right side of the maximum reached by the characteristic. Figure 8b shows the magnification of this part of the curve, allowing for the identification of the value of the slip as the machine is outputting rated power.


Figure 8. Variation of active power as a function of slip ( 40 Hp )

Figure 9 shows the active power as a function of slip for the 400 Hp machine.


Figure 9. Variation of active power as a function of slip (400 Hp)
The values of the slip are: $s=0.0177(40 \mathrm{Hp})$ and $\mathrm{s}=0.0096(400 \mathrm{Hp})$. Now we can convert the circuit of Figure 5 to the equivalent circuit represented in Figure 10.


Figure 10. Equivalent circuit of the induction machine
In numerical terms it is possible to find the equivalent terms as:
$r_{e q}=\operatorname{Re}\left\{Z_{e q}\right\}$
$x_{e q}=\operatorname{Im}\left\{Z_{e q}\right\}$
For 40 hp machine;
$r_{e q}=6.6399 \Omega$
$x_{e q}=2.6975 \Omega$
For 400 hp machine;
$r_{e q}=0.6825 \Omega$
$x_{e q}=0.2444 \Omega$
The resulting power factor of the induction machine represented by these parameters is given by: $\cos (\varphi)=\cos \left[\tan ^{-1}\left(\frac{x_{e q}}{r_{e q}}\right)\right]$
$\cos (\varphi)=0.9265$ (for 40 hp machine)
$\cos (\varphi)=0.9416($ for 400 hp machine)
Now it is possible to find reactive power;
$\mathrm{Q}=\mathrm{P} \tan (\varphi)$
$\mathrm{Q}=12.118 \mathrm{kVAr} \quad$ (for 40 hp machine)
$\mathrm{Q}=106.7956 \mathrm{kVAr}$ (for 400 hp machine)
The machines are fed from a 480 V busbar, therefore the parallel conductance and susceptance is:
$G_{L N}=\frac{P}{V^{2}} \quad B_{L N}=\frac{Q}{V^{2}}$
$G_{L N}=0.1295 \mathrm{ohm}^{-1} \quad B_{L N}=0.0526 \mathrm{ohm}^{-1} \quad$ (for 40 hp machine)
$G_{L N}=1.295 \mathrm{ohm}^{-1} \quad B_{L N}=0.4635 \mathrm{ohm}^{-1} \quad$ (for 400 hp machine)
To better reflect the IM design, we represent it with a delta configuration rather than a wye connection as it is now. Indeed, a delta configuration guarantees that no ground path is given from this terminal, which is what happens with IM.

The equivalent conductance and susceptance when connected in delta is calculated dividing by 3 :
$G_{D}=0.0432 \mathrm{ohm}^{-1} \quad B_{D}=0.0175 \mathrm{ohm}^{-1}$ (for 40 hp machine)
$G_{D}=0.4315 \mathrm{ohm}^{-1} \quad B_{D}=0.1545 \mathrm{ohm}^{-1}$ (for 400 hp machine)
The magnitude of the admittance is:
$Y_{D}{ }^{2}=G_{D}{ }^{2}+B_{D}{ }^{2}$
Then, the parallel resistance and reactance connected at delta are:
$R=\frac{G_{D}}{Y_{D}{ }^{2}} \quad X=\frac{B_{D}}{Y_{D}{ }^{2}}$
$R=19.89 \Omega \quad X=8.0806 \Omega \quad$ (for 40 hp machine)
$R=2.054 \Omega \quad X=0.7354 \Omega \quad$ (for 400 hp machine)

## Other Loads

Besides the induction motors, there are several other loads in both utility and office buildings. These are considered as load clusters rated different power level.
To represent the load cluster with a series equivalent impedance, we only need to specify a representative power angle. The impedances for those loads are calculated as following by considering their power and power factors:

## 480 V loads

100 kVA load (bus U2 in utility building)
$P=\operatorname{Scos}(p f)=100 * 0.8=80 \mathrm{~kW}$
$Q=\sqrt{S^{2}-P^{2}}=\sqrt{100^{2}-80^{2}}=60 \mathrm{kVAr}$
$G=\frac{P}{V^{2}}=0.3472 \mathrm{ohm}^{-1} \quad B=\frac{Q}{V^{2}}=0.2604 \mathrm{ohm}^{-1}$
$Y^{2}=G^{2}+B^{2}=0.1884 \mathrm{ohm}^{-2}$
$R=\frac{G}{Y^{2}}=1.8433 \mathrm{ohm} \quad X=\frac{B}{Y^{2}}=1.3822 \mathrm{ohm}$

## 105 kVA load (bus U7 in utility building)

$P=\operatorname{Scos}(p f)=105 * 0.8=84 \mathrm{~kW}$
$Q=\sqrt{S^{2}-P^{2}}=\sqrt{105^{2}-84^{2}}=63 \mathrm{kVAr}$
$G=\frac{P}{V^{2}}=0.3646 \mathrm{ohm}^{-1} \quad B=\frac{Q}{V^{2}}=0.2734 \mathrm{ohm}^{-1}$
$Y^{2}=G^{2}+B^{2}=0.2077$ ohm $^{-2}$
$R=\frac{G}{Y^{2}}=1.7554 \mathrm{ohm} \quad X=\frac{B}{Y^{2}}=1.3163 \mathrm{ohm}$

200 kW load (bus O1 in office building)
$Q=P \tan (\operatorname{acos}(p f))=200 * \tan (\operatorname{acos}(0.9))=97 \mathrm{kVAr}$
$G=\frac{P}{V^{2}}=0.8681 \mathrm{ohm}^{-1} \quad B=\frac{Q}{V^{2}}=0.4204 \mathrm{ohm}^{-1}$
$Y^{2}=G^{2}+B^{2}=0.9303 \mathrm{ohm}^{-2}$
$R=\frac{G}{Y^{2}}=0.9331 \mathrm{ohm} \quad X=\frac{B}{Y^{2}}=0.4519 \mathrm{ohm}$
100 kW load (bus O4 in office building, utilities)
$Q=P \tan (\operatorname{acos}(p f))=100 * \tan (\operatorname{acos}(0.9))=48.5 \mathrm{kVAr}$
$G=\frac{P}{V^{2}}=0.4340 \mathrm{ohm}^{-1} \quad B=\frac{Q}{V^{2}}=0.2102 \mathrm{ohm}^{-1}$
$Y^{2}=G^{2}+B^{2}=0.2326$ ohm $^{-2}$
$R=\frac{G}{Y^{2}}=1.8662 \mathrm{ohm} \quad X=\frac{B}{Y^{2}}=0.9039 \mathrm{ohm}$
50 kW load (bus O4 in office building, training)
$Q=P \tan (\operatorname{acos}(p f))=50 * \tan (\operatorname{acos}(0.92))=21.3 \mathrm{kVAr}$
$G=\frac{P}{V^{2}}=0.2170 \mathrm{ohm}^{-1} \quad B=\frac{Q}{V^{2}}=0.0924 \mathrm{ohm}^{-1}$
$Y^{2}=G^{2}+B^{2}=0.0556 \mathrm{ohm}^{-2}$
$R=\frac{G}{Y^{2}}=3.9002 \mathrm{ohm} \quad X=\frac{B}{Y^{2}}=1.6615 \mathrm{ohm}$
50 kW load (bus O4 in office building, kitchen)
$Q=P \tan (\operatorname{acos}(p f))=50 * \tan (\operatorname{acos}(0.88))=27 \mathrm{kVAr}$
$G=\frac{P}{V^{2}}=0.2170 \mathrm{ohm}^{-1} \quad B=\frac{Q}{V^{2}}=0.1171 \mathrm{ohm}^{-1}$
$Y^{2}=G^{2}+B^{2}=0.0608 \mathrm{ohm}^{-2}$
$R=\frac{G}{Y^{2}}=3.5684 \mathrm{ohm} \quad X=\frac{B}{Y^{2}}=1.9260 \mathrm{ohm}$

## 208 V loads

200 kW load (bus O5 in utility building)
$Q=P \tan (\operatorname{acos}(p f))=200 * \tan (\operatorname{acos}(0.95))=65.7 \mathrm{kVAr}$
$G=\frac{P}{V^{2}}=4.6228 \mathrm{ohm}^{-1} \quad B=\frac{Q}{V^{2}}=1.5194 \mathrm{ohm}^{-1}$
$Y^{2}=G^{2}+B^{2}=23.6788$ ohm $^{-2}$
$R=\frac{G}{Y^{2}}=0.1952 \mathrm{ohm} \quad X=\frac{B}{Y^{2}}=0.0642 \mathrm{ohm}$
100 kW load (bus O6 in utility building)
$Q=P \tan (\operatorname{acos}(p f))=100 * \tan (\operatorname{acos}(0.97))=25 k V A r$
$G=\frac{P}{V^{2}}=2.3114 \mathrm{ohm}^{-1} \quad B=\frac{Q}{V^{2}}=0.5793 \mathrm{ohm}^{-1}$
$Y^{2}=G^{2}+B^{2}=5.6781 \mathrm{ohm}^{-2}$
$R=\frac{G}{Y^{2}}=0.4071 \mathrm{ohm} \quad X=\frac{B}{Y^{2}}=0.1020 \mathrm{ohm}$
200 kW load (bus 07 in utility building)
$Q=P \tan (\operatorname{acos}(p f))=200 * \tan (\operatorname{acos}(0.90))=96.8 \mathrm{kVAr}$
$G=\frac{P}{V^{2}}=4.6228 \mathrm{ohm}^{-1} \quad B=\frac{Q}{V^{2}}=2.2389 \mathrm{ohm}^{-1}$
$Y^{2}=G^{2}+B^{2}=26.3828 \mathrm{ohm}^{-2}$
$R=\frac{G}{Y^{2}}=0.1752 \mathrm{ohm} \quad X=\frac{B}{Y^{2}}=0.0849 \mathrm{ohm}$
200 kW load (bus O8 in utility building)
$Q=P \tan (\operatorname{acos}(p f))=200 * \tan (\operatorname{acos}(0.88))=107.9 \mathrm{kVAr}$
$G=\frac{P}{V^{2}}=4.6228 \mathrm{ohm}^{-1} \quad B=\frac{Q}{V^{2}}=2.4951 \mathrm{ohm}^{-1}$
$Y^{2}=G^{2}+B^{2}=27.5957 \mathrm{ohm}^{-2}$
$R=\frac{G}{Y^{2}}=0.1675 \mathrm{ohm} \quad X=\frac{B}{Y^{2}}=0.0904 \mathrm{ohm}$
100 kW load (bus O9 in utility building)
$Q=\operatorname{Ptan}(\operatorname{acos}(p f))=100 * \tan (\operatorname{acos}(0.95))=32.8 \mathrm{kVAr}$
$G=\frac{P}{V^{2}}=2.3114 \mathrm{ohm}^{-1} \quad B=\frac{Q}{V^{2}}=0.7597 \mathrm{ohm}^{-1}$
$Y^{2}=G^{2}+B^{2}=5.9197 \mathrm{ohm}^{-2}$
$R=\frac{G}{Y^{2}}=0.3905 \mathrm{ohm} \quad X=\frac{B}{Y^{2}}=0.1283 \mathrm{ohm}$

## Power Sources

The following section describes the power sources installed in plant. These sources are synchronous generator, PV system, wind turbine and energy storage.

## Synchronous Generators

There are two synchronous generators, rated 300 kW each, in the utility building. They were assumed diesel gensets with wound filed synchronous machine. Three 300 kW synchronous generators are located in office building. The part of engine was designed same as that in UW-Madison laboratory except power rating.

The parameters for the synchronous machines were obtained from Uljanik Tesu catalogue and are given in Table 9. We can use the following data for those generators from the data sheet of a generator manufacturer:

Table 9: Synchronous generator parameter

| $\mathrm{V}_{\text {base }}$ | 480 V |
| :--- | :--- |
| $\mathrm{~S}_{\text {base }}$ | 300 kVA |
| $\mathrm{x}_{\mathrm{d}}$ | $212.3 \%$ |
| $\mathrm{x}_{\mathrm{d}}{ }^{\prime}$ | $32.9 \%$ |
| $\mathrm{x}_{\mathrm{d}}{ }^{"}$ | $19.6 \%$ |
| $\mathrm{x}_{\mathrm{q}}$ | $105.2 \%$ |
| $\mathrm{x}_{\mathrm{q}} "$ | $14.7 \%$ |


| $\mathrm{x}_{2}$ | $17.2 \%$ |
| :--- | :--- |
| $\mathrm{~T}_{\mathrm{d} 0}$, | 313.4 ms |
| $\mathrm{~T}_{\mathrm{d} 0} "$ | 1.9 ms |
| $\mathrm{~T}_{\mathrm{a}}$ | 26.0 ms |
| $\mathrm{R}_{\mathrm{s}}$ | $0.0084 \Omega$ |
| $\mathrm{~J} / \mathrm{H}$ | 6 kgm2 $/ 0.3553 \mathrm{~s}$ |
| p | 2 (pairs of pole) |

## Photovoltaic (PV) System

There are two PV systems, one which is 40 kW is located in utility building and the other, 500 kW , is in office building. Since they operates unity power factor, they are designed as constant power sources which produces 40 kW and 500 kW active power and no reactive power. For simplicity they are modeled as voltage controlled current source as shown in Figure 11. Therefore they can produce same power at their outputs in every voltage level.


Figure 11. Constant power source model for PV systems

## Wind System

Wind system in the utility building is same exactly as PV systems except power rating which is 4 kW .

## Energy Storage

Energy storage system consists of battery storage units and inverter. This inverter based system is assumed that there is a battery on the DC bus coupled to the AC system through an inverter as shown in Figure 12. There are two storage system; 500 kw storage device is in utility building and 1000 kW one is in office building. Connection transformers are chosen to be 750 kVA and $1,500 \mathrm{kVA}$. Inductance $\mathrm{L}_{\mathrm{pv}}$ with 0.15 mH and 0.08 mH are used between inverter and grid considering instability criteria.


Inverter
Figure 12. Interface inverter system

For 500 kW and 1000 kW energy storage systems, parameters are tabulated in Table 10 and 11, respectively.

Table 10: Inverter parameters for 500 kW energy storage

| $\mathrm{V}_{\text {DC }}$ | 750 V |
| :--- | :--- |
| $\mathrm{~S}_{\text {BASE }}$ | 500 kVA |
| $\omega_{\text {base }}$ | $376.9911(2 \pi 60)$ |
| $\Delta \omega$ | $3.1416(2 \pi 0.5)$ |
| $P_{\max }$ | 500 kW |
| $\mathrm{P}_{\min }$ | -500 kW |
| $\mathrm{P}_{\text {req }}$ | 450 kW |


| $\mathrm{V}_{\mathrm{req}}$ | 1 |
| :--- | :--- |
| $\mathrm{~K}_{\mathrm{pp}}$ | 3 |
| $\mathrm{~K}_{\mathrm{pi}}$ | 30 |
| $\mathrm{~K}_{\mathrm{vp}}$ | 0.01 |
| $\mathrm{~K}_{\mathrm{vi}}$ | 5 |
| $\mathrm{~m}_{\mathrm{Q}}$ | 0.05 |
| $\mathrm{~m}_{\mathrm{P}}$ | 1.5708 |

Table 11: Inverter parameters for 1000 kW energy storage

| $\mathrm{V}_{\mathrm{DC}}$ | 750 V |
| :--- | :--- |
| $\mathrm{~S}_{\text {BASE }}$ | 1000 kVA |
| $\omega_{\text {base }}$ | $376.9911(2 \pi 60)$ |
| $\Delta \omega$ | $3.1416(2 \pi 0.5)$ |
| $\mathrm{P}_{\max }$ | 1000 kW |
| $\mathrm{P}_{\min }$ | -1000 kW |
| $\mathrm{P}_{\text {req }}$ | 950 kW |


| $\mathrm{V}_{\mathrm{req}}$ | 1 |
| :--- | :--- |
| $\mathrm{~K}_{\mathrm{pp}}$ | 3 |
| $\mathrm{~K}_{\mathrm{pi}}$ | 30 |
| $\mathrm{~K}_{\mathrm{vp}}$ | 0.01 |
| $\mathrm{~K}_{\mathrm{vi}}$ | 5 |
| $\mathrm{~m}_{\mathrm{Q}}$ | 0.05 |
| $\mathrm{~m}_{\mathrm{P}}$ | 1.5708 |

