

Math 221 -- Course Description

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General Issues

Here are some of the 'logistical issues' related to the course.

: Text Book

Elementary Linear Algebra, 7th edition, by Howard Anton,
John Wiley & Sons, Inc.

Currently we think very well of the book and would suggest it's
the next year. The book is at a reasonable level for our students
- not too hard nor too easy. However, more applications might
be nice. Finding a better book for this group of students will
be difficult. (Added later, the book breaks down slightly in
chapter 6.3)

: Old Syllabus

Vector spaces, Matrices, determinants, linear equations, linear
transformations, Eigenvalues, Inner products, Canonical forms,
applications."

Our book does not cover canonical forms nor many applications. We
believe it would be very difficult to cover canonical forms in
this class with this group of students. More applications would
be nice.

What we have covered

: Systems of Linear Equations -- Chapter 1

Matrices --- arithmetic of matrices
Gaussian elimination and related ideas
inverses of matrices
homogeneous linear systems

: Determinants -- Chapter 2

evaluating determinants, basic properties
Cramer's rule; co-factor expansion

: Geometry of real n-space -- Chapter 4

n-tuples, inner products, norms
Linear transformations from n-space to m-space; associated
standard matrix
Eigenvectors/values (briefly)

: (abstract) real vector spaces -- Chapter 5

defined
subspaces
spanning, linear independence, bases
row space/column space/null space of a matrix
rank and nullity of a matrix
general form of a solution to a system of linear equations

: Inner product spaces -- Chapter 6 (skipped 6.4)

defined
orthogonal
orthonormal
(proof of) Cauchy Schwartz inequality
Gram-Schmidt and orthonormal bases
Orthogonal matrices/change of basis

: Eigenvectors -- Chapter 7

quick review
eigenspaces
diagonalizing matrices (orthogonally and otherwise)

What we wished we have also covered.

: Linear transformations -- Chapter 8

definitions
kernel, range, inverses, matrix representations
similarity

usically we just did not have enough time to cover this. If we
ive 3-4 more days we could covered Chapter 8 and skipped Chapter

This would be been better. It would take some work to find
e needed time -- a faster pace through Chapter 1 could add 1-2
ays and better placement of exams and reviews could maybe save a
day.

The Students:

urrently there are no prerequisites. Although most students
ive had calculus; maybe this should be added as a prerequisite.
: would be helpful if they have had seen vectors, dot products,
ross products in 3-space before this class. The students are

generally able. This is the first course where many (all?) have to deal with "abstraction" and many find this difficult. While we have not been shying away from this, the course is by no means an introduction to "proofs" and "abstraction". Whether this course serves as a gentle and good introduction to "proofs" and "abstraction" is unclear.

Use of the computer:

There is some potential for using more computer problems and applications in the class. This may be an option to be explored in later years. However, to do so may move this course away from dealing with "abstraction" and "proof".