

## Florida

- 8/25/1997, State of Florida settles out of court in their suits against tobacco manufacturers
- Awarded $\$ 13$ billion over 25 years
- Use $\$ 200 \mathrm{~m}$ to run anti-smoking campaign aimed at kids
- Florida Tobacco Pilot Program (FTPP)
- Precursor to the national 'truth' campaign
- Florida's edgy "Truth" advertising campaign continues to have a significant impact in reducing teen smoking, a team of researchers concluded from a new study that examines the impact of the state's anti-tobacco advertising.
- in 1998 , when surveillance began for tobacco use among Florida youth, 27.4 percent of high school students were current cigarette smokers. by 2000 , this rates had declined to 22.6 among high school students.
- Note: 4.8 percentage point decline or a $17.5 \%$ reduction in teen smoking




## Nationwide

- Teen smoking rates fell from 36.5 to $31.4 \%$
- A 5.1 percentage point decline or roughly $14 \%$
- Rates in Florida fell by 4.8 percentage points rates nationwide fell by a similar amount



## Random assignment clinical trial

- New drug that lowers cholesterol
- Recruit N people with high cholesterol
$-1 / 2$ in treatment (receive active ingredient)
- $1 / 2$ in control (placebo)
- Measure cholesterol levels
- Before the start of treatment
- Then again after a specified time

|  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
|  | Before <br> Treatment | 3 months <br> later | Difference |

## Simple problem set up

- One group is 'treated' with an intervention
- Have pre \& post treatment data for the group receiving intervention
- Can examine time-series changes but,
- Unsure how much of the change is due to secular changes



## Example

- 1993 Federal government passes Motor Voter
- Register to vote when you get drivers license
- Designed to decrease the cost of voting
- Some states had state Motor Voter Law prior to 1993
- Suppose you compare outcomes in states before/after 1993 (1992 vs 1996 elections)
- States with new law saw an increase in voter
- If the outcome of interest is trending over time, before/after comparisons will provide a biased estimate of the law
- 1992: 76.1\%
- 1996: 84.5\%
- Question: how much of the increase was the
- Look at this graphically law and how much was it secular trends?
- Cannot say without controlling for factors that impact these trends

- Intervention occurs at time period $\mathrm{t}_{1}$
- True effect of law
$-Y_{b}-Y_{a}$
- Only have data at $\mathrm{t}_{1}$ and $\mathrm{t}_{2}$
- If using time series, estimate of the effectiveness of the law is $\mathrm{Y}_{\mathrm{t} 1}-\mathrm{Y}_{\mathrm{t} 2}$
- Solution?


## Difference in difference models

- Pool cross-sectional and time series data
- Use time series of "untreated" group to establish "trends"
- What would have occurred in the treatment states in the absence of the intervention?



## Motor Voter Example

- Data in two years
- 1992 Presidential (before MV)
- 1996 Presidential (after)
- Two groups of states
- Treated group (states that got MV through federal law in 1993)
- Control group (states that had MV laws already)

| Difference in Difference |  |  |  |
| :---: | :---: | :---: | :---: |
|  | Before <br> MV | After <br> MV | Difference |
| Group 1 (Treat) | 0.761 | 0.845 | 0.084 |
| Group 2 <br> (Control) | 0.834 | 0.867 | 0.033 |
| Difference |  |  | 0.050 |
|  |  |  |  |

## Key Assumption

- Control group identifies the time path of outcomes that would have happened in the absence of the treatment
- In this example, Y falls by $\mathrm{Y}_{\mathrm{c} 2}-\mathrm{Y}_{\mathrm{c} 1}$ even without the intervention
- Note that underlying 'levels’ of outcomes are not important (return to this in the regression equation)


| - In contrast, what is key is that the time trends in |
| :--- |
| the absence of the intervention are the same in |
| both groups |
| - If the intervention occurs in an area with a |
| different trend, will under/over state the |
| treatment effect |
| - In this example, suppose intervention occurs in |
| area with faster falling $Y$ |

## Basic Econometric Model

- Data varies by
- state (i)
- time (t)
- Outcome is $\mathrm{Y}_{\mathrm{it}}$
- Only two periods
- Intervention will occur in a group of observations (e.g. states, firms, etc.)

| - Three key variables |
| :--- |
| $-T_{i t}=1$ if obs i belongs in the state that will eventually |
| be treated |
| $-A_{i t}=1$ in the periods when treatment occurs |
| $-T_{i t} A_{i t}--$ interaction term, treatment states after the |
| intervention |
| - $Y_{i t}=\beta_{0}+T_{i t} \beta_{1}+A_{i t} \beta_{2}+T_{i t} A_{i t} \beta_{3}+\varepsilon_{i t}$ |


| $Y_{i t}=\beta_{0}+T_{i t} \beta_{1}+A_{i t} \beta_{2}+T_{i t} A_{i t} \beta_{3}+\varepsilon_{i t}$ |  |  |
| :--- | :--- | :--- |
|  | Before After <br> Change Change | Difference |
| Group 1 <br> (Treat) <br> Group 2 <br> (Control) |  |  |
| Difference |  |  |

## Meyer et al.

- Workers' compensation
- State run insurance program
- Typical benefits schedule
- Min( pY,C)
- $\mathrm{P}=$ percent replacement
$-\mathrm{Y}=$ earnings
$-\mathrm{C}=\mathrm{cap}$
- Premiums
- e.g., $65 \%$ of earnings up to $\$ 400 /$ week
- Function of previous claims and wages paid
- Benefits -- \% of income w/ cap
- Concern: Moral hazard. Benefits will discourage return to work
- Empirical question: duration/benefits gradient
- Previous estimates
- $\mathrm{Y}_{\mathrm{i}}=\beta_{0}+\mathrm{X}_{\mathrm{i}} \beta_{1}+\mathrm{R}_{\mathrm{i}} \beta_{2}+\varepsilon_{\mathrm{i}}$
-Y (duration)
- R (replacement rate)
- X (represents some other controls)
- Expect $\beta_{2}>0$ (Higher replacement, longer duration)
- Problem: Does realization of $\varepsilon_{i}$ convey any information about R?
- Workers with longer duration tend to be higher income workers
- They also have lower replacement rates (earnings put them above the weekly cap)
- $\operatorname{Cov}\left(\mathrm{R}_{\mathrm{i}}, \varepsilon_{\mathrm{i}}\right)<0$
- Is $\beta_{2}$ over or under estimated?


## Solution

- Quasi experiment in KY and MI
- Increased the earnings cap
- Increased benefit for high-wage workers - (Treatment)
- Did nothing to those already below original cap (comparison)
- Compare change in duration of spell before and after change for these two groups


Figure 1. Temporary Total Benefit Schedule Before and After an Increase in the Maximum Weekly Benefit

## Data from Meyer et al.

- Data set kentucky.dta
- Key variables
- durat (duration)
- highearn (a high earning worker (treatment))
- afchnge (after the law change)


| Difference in Difference <br> Mean average $\ln$ (duration) <br> Before <br> change |  |  |  |
| :--- | :--- | :--- | :--- |
| After <br> change | Difference |  |  |

## Model

- $\mathrm{Y}_{\mathrm{it}}=$ duration of spell on WC
- $\mathrm{A}_{\mathrm{it}}=$ period after benefits hike
- $\mathrm{H}_{\mathrm{it}}=$ treated or high earnings group (Income $>\mathrm{E}_{3}$ )
- $\mathrm{Y}_{\mathrm{it}}=\beta_{0}+\mathrm{H}_{\mathrm{it}} \beta_{1}+\mathrm{A}_{\mathrm{it}} \beta_{2}+\mathrm{A}_{\mathrm{it}} \mathrm{H}_{\mathrm{it}} \beta_{3}+\varepsilon_{\mathrm{it}}$
- Diff-in-diff estimate is $\beta_{3}$

| Results <br> Table 6-Reqression Equation Groups Po | rolling fo <br> Natural Lo and Hich-E | other cov <br> rithm of Dur Nings Grour | ates <br> оN, Ніснarattey | ow-Earnings |
| :---: | :---: | :---: | :---: | :---: |
| Explanatory variable |  |  |  | Specific |
|  | High- and low-earnings groups pooled |  |  |  |
|  | Kentucky |  | Michigan |  |
|  | (i) | (ii) | (iii) | (iv) |
| After-increase indicator variable | $\begin{gathered} 0.016 \\ (0.045) \end{gathered}$ | $\begin{gathered} \hline-0.004 \\ (0.038) \end{gathered}$ | $\begin{gathered} 0.082 \\ (0.084) \end{gathered}$ | $\begin{gathered} 0.003 \\ (0.073) \end{gathered}$ |
| High-earnings-group indicator variable | $\begin{gathered} -1.522 \\ (1.099) \end{gathered}$ | $\begin{gathered} -0.594 \\ (0.930) \end{gathered}$ | $\begin{gathered} 5.577 \\ (4.811) \end{gathered}$ | $\begin{gathered} 3.607 \\ (4.162) \end{gathered}$ |
| After-increase $\times$ high-earnings-group indicator variable | $\begin{gathered} 0.215 \\ (0.069) \end{gathered}$ | $\begin{gathered} 0.162 \\ (0.059) \end{gathered}$ | $\begin{gathered} 0.157 \\ (0.153) \end{gathered}$ | $\begin{gathered} 0.203 \\ (0.132) \end{gathered}$ |




## Questions to ask?

- What parameter is identified by the quasiexperiment? Is this an economically meaningful parameter?
- What assumptions must be true in order for the model to provide and unbiased estimate of $\beta_{3}$ ?
- Do the authors provide any evidence supporting these assumptions?


## Card and Krueger

## Minimum wage laws

- Minimum wage laws imposed by state, local and Federal governments
- "covered" sector includes most jobs
- States/locals can raise but not lower Federal minimum wage


## Federal Minimum Wages

| - $01 / 01 / 1981$ | $\$ 3.35$ |
| :--- | :--- |
| - $04 / 01 / 1990$ | $\$ 3.80$ |
| - $04 / 01 / 1991$ | $\$ 4.25$ |
| - $10 / 01 / 1996$ | $\$ 4.75$ |
| - $09 / 01 / 1997$ | $\$ 5.15$ |
| - $07 / 24 / 2007$ | $\$ 5.85$ |
| - $07 / 24 / 2008$ | $\$ 6.55$ |
| - $07 / 24 / 2009$ | $\$ 7.25$ |

## Some State Minimum Wage Laws

- WA $\$ 8.55$
- OR $\$ 8.40$
- CT/DC $\$ 8.25$
- VT $\$ 8.04$
- IL/MA/CA $\$ 8.00$


Textbook model of Minimum Wage

- Original conditions: $\mathrm{W}_{\mathrm{e}}, \mathrm{L}_{\mathrm{e}}$
- Minimum wage imposed, $\mathrm{W}_{\mathrm{m}}>\mathrm{W}_{\mathrm{e}}$
- Labor supply: higher wage encourages more work - labor supply increases to $L_{\text {s }}$
- Labor demand: higher wage is a shift along the demand curve to $L_{d}$
- New unemployment rate: $\mathrm{L}_{\mathrm{s}}-\mathrm{L}_{\mathrm{d}}$
- Job loss from minimum wage: $\mathrm{L}_{\mathrm{e}}-\mathrm{L}_{\mathrm{d}}$


## Research Question?

- What happens to labor demand when minimum wage laws increased?
- Economic significance: test of theory of demand
- Policy significance: key question faced by lawmakers every time there is a proposed change in the minimum wage law.


## NJ Minimum Wage Hike

- Federal MW stuck at $\$ 3.35$ for most of the 90 s
- Because of inflation, real value of MW fell considerably
- Nov 1989 law raised MW in 2 steps
- To $\$ 3.80$ on $4 / 1 / 90$
- To $\$ 4.25$ on $4 / 1 / 91$
- NJ law
- Passed in early 1990
- Went into effect April 1, 1992
- Raised minimum wage from $\$ 4.25-\$ 5.05 / \mathrm{hr}, 18 \%$ increase
- In 1992, NJ slipped into a recession
- In March of 1992, State legislature voted to phase it in over two years,
- Governor vetoed
- Vote margin not large enough to override veto
- Law went into effect as planned


## Questions

- Why is NJ a good setting to test the impact of minimum wage on employment?
- Why is the fast food industry a good industry to examine?



## Research methodology

- Examine employment before and after law goes into effect in NJ fast food restaurants
- Compare this change to changes in employment for employers not impacted by law
- Fast food restaurants in PA
- "Control group"


Table 1: Sample Frame

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| :---: | :---: | :---: | :---: | :---: |
|  | NJ Stores |  | PA Stores |  |
|  | Contacted | Interview | Contacted | Interview |
| Wave 1 | 364 | 331 | 109 | 79 |
| Wave 2 | 331 | 321 | 79 | 78 |



## Notes about sample

- Restaurants from 4 chains --BK, KFC, Roy's, Wendy's - no McDonalds
- Key outcome, Full time equivalents
- FTE
- FTE $=$ Full time $+.5^{*}$ halftime


Table 2 - Means at Wave 1

| Outcome | NJ | PA | t-stat on <br> difference |
| :--- | ---: | ---: | ---: |
| \%BK | 41.1 | 44.3 | -0.5 |
| \% Roys | 24.8 | 21.5 | 0.6 |
| FTE | 20.4 | 23.3 | -2.0 |
| \% full time | 32.8 | 35.0 | -0.7 |
| Starting wage | 4.61 | 4.63 | -0.4 |
| Hours open | 14.4 | 14.5 | -0.3 |
|  |  |  |  |



| $\begin{array}{l}\text { Change in mean FTE } \\ \text { employment, balanced } \\ \text { sample of stores }{ }^{\mathrm{c}}\end{array}$ | $\begin{array}{c}-2.28 \\ (1.25)\end{array}$ | $\begin{array}{c}0.47 \\ (0.48)\end{array}$ | $\begin{array}{c}2.75 \\ (1.34)\end{array}$ |
| :--- | :---: | :---: | :---: |
| Change in mean FTE | -2.28 | 0.23 | 2.51 |


| 5. Change in mean FTE | -2.28 | 0.23 | 2.51 |
| :--- | :---: | :---: | :---: |
| employment, setting | $(1.25)$ | $(0.49)$ | $(1.35)$ |
| FTE at temporarily |  |  |  |
| closed stores to $0^{\mathrm{d}}$ |  |  |  |

Table 3 - row 4
$工$
Change in full time equivalent employment Mean and (standard error of mean)

| $P A\left(\bar{x}_{1}\right)$ | $N J\left(\bar{x}_{2}\right)$ | Diff $\left(\bar{x}_{2}-\bar{x}_{1}\right)$ |
| :---: | :---: | :---: |
| -2.28 | 0.47 | 2.75 |
| $(1.25)$ | $(0.48)$ | $(1.34)$ | 68

## Why did employment increase

- Maybe PA is a poor control - notice that employment in NJ increased, but in PA it fell. Most of the effect is generated by an increase in the employment in PA
- What would we like to know tp help prove PA is a good control?
- Fast food is a monopsony?
- Nah - fast food restaurants are all different


## Alternative control groups

- Maybe PA is a bad control - are there other control groups available?
- High wage stores in NJ
- Stores currently paying above the new MW
- Will not be impacted by the new law - it is not binding


Table 3 - row 4

| Change in full time equivalent employment <br> Mean and (standard error of mean) |  |  |
| :---: | :---: | :---: |
| High Wage <br> stores in | Low Wage <br> stores in | Diff $[\Delta=(2)-(1)]$ |
| $\mathrm{NJ}(1)$ | $\mathrm{NJ}(2)$ |  |
| -2.16 | 1.21 | 3.36 |
| $(1.01)$ | $(0.82)$ | $(1.30)$ |



