

- Previous section - outlined the benefits of insurance - smooth consumption and improve welfare
- Model: given loss L, receive q in return from insurance
- Useful model for homeowners or car insurance
- Not so for medical care
- Medical insurance tends NOT to be structured this way
- Policy holder decides when to enter market
- Insurance changes prices for the product
- Therefore, insurance generates a wedge - what doctors receive and what they pay are sometimes very difference
- Insurance has reduced the cost of care to the consumer, and hence, consumer should increase use
- "Moral hazard"

- $1^{\text {st }}$ part - use demand curves to isolate how insurance alters demand for health care
- $2^{\text {nd }}$ part - examine some estimates of the price elasticity of demand
- Along the way, we will point out how difficult it is to get this estimate and how we have had to rely on the rare experiment in this context


## Some tools of the trade

- Price elasticity of demand
$-\xi_{d}=\% \Delta \mathrm{Q} / \% \Delta \mathrm{P}$
- Examples:
$-\xi_{d}=-0.3,10 \% \uparrow$ price, $3 \% \downarrow$ in demand
$-\xi_{d}=-1.75,10 \% \uparrow$ price, $17.5 \% \downarrow$ in demand
- When looking at demand curves on the same scale, the steeper demand curve, the lower elasticity of demand (absolute value)


Factors that determine elasticity of demand for medical care

- Services for more acute conditions should have lower elasticity of demand
- You need care at that moment, cannot wait for treatment
- Likewise - anything where you can substitute over time, produces a higher elasticity of demand
- Emergency room visits low elast. of demand
- What about preventive services? Dental care? X-rays?
- Availability of substitutes
- When they are plentiful, greater elasticity of demand
- what about psychoanalysis?
- Generic drugs? AIDS drugs?
$\left.\begin{array}{|l|l|}\hline \text { - Larger fraction of income, greater elast of demand } \\ \text { - Have to think twice about cost } \\ \text { - Long term care/assisted living is expensive, high elast of } \\ \text { demand (and many substitutes, like informal care) }\end{array}\right]$


## Demand for medical services

- Like any other good, medical services are consumed on a per unit basis
- Doctor visits, Prescriptions, X-rays, etc.
- Some 'units' are easier to measure
- Each has a price attached to it
- What is different for medical care is that often, the price paid by the patient is not the price of the good (insurance)
- The demand for medical services slopes down just like any other product
- The position of the demand curve can however change radically based on external conditions
- Example: demand for a particular drug is highly dependent on your current state of health
- Some factors that may shift the demand curve
- Medical state
- Socioeconomic status (income and education)
- Price of other medical services
- Example: Compliments
- As price falls for good 1, people are willing to demand more of good 2 at any price



## Income elasticity of demand

- $\zeta=\% \Delta \mathrm{Q} / \% \Delta$ Income
- $\zeta=0.25$
- $10 \%$ increase in income, $2.5 \%$ increase in quantity demanded
- $\zeta=1.5$
- 10\% increase in income, $15 \%$ increase in quantity demanded
- Normal goods $\zeta>0$
- Inferior goods $\zeta<0$

Shifts in demand due to health state

- Demand for medical services is state-dependent
- When health is poor, demand may be greater
- At any price, you demand more
- Change in health status could have two effects
- Shift demand
- Make less/more price responsive

- Suppose you are diagnosed w/ high cholesterol
- Predictor of heart disease
- Increased risk of death
- Standard treatment after diagnosis
- Change diet
- Increase exercise
- As cholesterol level rises, ability to control with behavior modification declines
- Therefore, demand for pharmaceutical solution should rise

Shifts due to price of other medical goods

- Strong inter-relationship between different medical services. Some are substitutes, some are compliments
- Price of one procedure can therefore impact the demand for another
- Compliments: Doctors visits and medical tests
- Substitutes: Psychotropic drugs and psychiatric visits

- Type of cost sharing varies a lot by type of insurance system
- Copayments
- Popular in managed care
- For prescription drugs
- Co-insurance
- Frequent in Fee-for-service type of arrangements
- Hospital care and diagnostic tests
- In this class - will most frequently model the impact of coinsurance - a little easier to see the DWL


## Notre Dame Insurance, PPO Plan

- \$400 individual deductible
- $85 \%$ coinsurance rate ( $65 \%$ if out of network)
- Max out of pocket of $\$ 1950$
- First $\$ 400$ in medical spending, price=1
- After $\$ 400$, price is $\$ 0.15$
- After $\$ 10,733.33$ price falls to $\$ 0$
- Let x be total spending
- You pay 0.15 on every dollar over $\$ 400$ plus the original $\$ 400$
$-(x-400) * 0.15+400=1950$ and $x=\$ 10,733.33$


## Copayments

- How do copayments impact demand?
- Example: suppose you pay a $\$ 10$ copay for each prescription (Rx)
- If the $R x$ is $\$ 50$, you pay $\$ 10$, insurance pays $\$ 40$
- Note that
- If $\mathrm{P}<\$ 10$, you pay the price
- if $\mathrm{P} \geq \$ 10$, you only pay $\$ 10$
- What does this do to your demand
- Suppose there is a copayment rate of $\$ \mathrm{C}$
- Without insurance, demand is line (ab)
- At a price of $\$ C$, people will demand $Q_{1}$
- With a copay of $\$ C$, any price in excess of $\$ C$ generates out of pocket price of only $\$ C$, so demand is vertical at Q ${ }_{1}$
- Demand with a copay is therefore line (acd)


- $Q_{d}=f(P)$ where $P$ is price paid by the consumer
- Coinsurance changes this. Now there is a wedge
between what the provider gets and the patient pays between what the provider gets and the patient pays
- Let
- $\mathrm{P}_{\mathrm{s}}$ the price received by suppliers (providers)
- $P_{d}$ the price paid by the demanders (patient)

- In our supply and demand graph world, the price axis represents the transacted in the market
- Without coinsurance, let $P_{t}$ be the transacted price $-P_{t}=P_{d}=P_{s}$
- With coinsurance, suppliers receive $P_{s}$ but consumers only have to pay a fraction of that
$-P_{d}=c P_{t}$
- so
- $\mathrm{P}_{\mathrm{t}}=\mathrm{P}_{\mathrm{d}} / \mathrm{c}=\mathrm{P}_{\mathrm{s}}$
- Because consumers only pay a fraction of the transacted price, they are willing to purchase more of the good at the posted transacted price
- Suppose c=25\%
- Without insurance, they would purchase 5 visits a year at $\$ 100 /$ visit
- Now, the transacted price can rise to $\$ 400 /$ visit and they would still demand 5 .
- Doctor is paid $\$ 400$, consumer pays $\$ 100$, same as before
- Consider graph on the next slide
- Without coinsurance
- When $P_{s}=0, Q_{d}=Q_{m}$
- When $P_{s}=P_{m}, Q_{d}=0$
- With coinsurance
$-P_{t}=P_{d} / c=P_{s}$
- When $P_{s}=0, P_{d}$ still $=0, Q_{d}=Q_{m}$
- (demand curve rotates at point a)
- $P_{s}$ would have to rise to $P_{m} / c$ to eliminate demand
- since if $\mathrm{P}_{\mathrm{s}}=\mathrm{P}_{\mathrm{m}} / \mathrm{c}, \mathrm{P}_{\mathrm{d}}=\mathrm{P}_{\mathrm{s}} \mathrm{c}=\left(\mathrm{P}_{\mathrm{m}} \mathrm{c}\right) / \mathrm{c}=\mathrm{P}_{\mathrm{m}}$

- Without insurance, at price $P_{1}$, patients would be willing to consume $Q_{1}$
- With insurance, in order for consumers to demand $Q_{1}$, the price received by sellers would have to rise to $P_{1} / c$
- Doctor charges $P_{1} / c$
- Consumer pays $\left(\mathrm{P}_{1} / \mathrm{c}\right) \mathrm{c}=\mathrm{P}_{1}$
- Consumer is only concerned with the price after coinsurance


## Example

- Demand curve without coinsurance
$-P_{d}=100-10 \mathrm{Q}$
- Coinsurance rate of c
- With coinsurance, $P_{t}=P_{d} / c$
- Demand curve with coinsurance
$-\mathrm{P}_{\mathrm{t}}=\mathrm{P}_{\mathrm{d}} / \mathrm{c}=(100-10 \mathrm{Q}) / \mathrm{c}$
$-P_{t}=100 / c-10 Q / c$

- Note that if $\mathrm{c}=0$, when $\mathrm{P}=\$ 50, \mathrm{Q}=5$
- With $\mathrm{c}=0.5, \mathrm{P}=\$ 50, \mathrm{Q}=7.5$




## Deadweight loss of insurance

- With coinsurance
- Output $\uparrow$ from $Q_{1}$ to $Q_{2}$
- Price received by sellers $\uparrow$ from $P_{1}$ to $P_{2}$
- Recall what height of the demand curve represents
- At $Q_{2}$ consumers value the last unit at $P_{3}$
- Doctors get $P_{2}$
- Patients only pay $\mathrm{P}_{2} \mathrm{C}$
- Now there is a wedge between what people value the last unit and what they pay
- Because of this wedge, there is use beyond a socially optimal level
- Consumers value the increased consumption at area $\mathrm{Q}_{1} \mathrm{acQ}_{2}$
- What it cost society to produce this extra output? Area $\mathrm{Q}_{1} \mathrm{ab}_{2}$
- Clearly $\mathrm{Q}_{1} a c Q_{2}<\mathrm{Q}_{1} \mathrm{abQ}_{2}$
- Area (abc) deadweight loss of insurance



What do consumers value the last unit consumed? $-\mathrm{Q}=13$ $-\mathrm{P}_{\mathrm{d}}=40-2 \mathrm{Q}=40-2(13)=14$

- DWL= triangle abc
- Area $=(1 / 2)$ height $x$ base
- = (1/2)(56-14) (13-6)
- = 147



## The tradeoffs?

(Why people hate economists)

- Recall from expected utility section
- Insurance increases welfare because it reduces uncertainty
- Consumers are willing to pay a premium to reduce uncertainty
- But -- the structure of insurance is such that consumers do not pay the full dollar price of service, encouraging them to over use, which generates a deadweight loss
- There is an optimal co-insurance rate
- Weight the benefits of spreading risk vs. cost of moral hazard
- Feldman and Dowd
- Use 1980s data
- $\$ 33$ billion to $\$ 109$ billion loss
- 9 to $29 \%$ of health care spending (mid 80 s levels)
- 9 to $29 \%$ of health care spending in 2007 is $\$ 198$ - $\$ 638$ billion
- Optimal coinsurance rate?
- Estimate puts it at about 33-45\%
- Far above current values (among those that have insurance)

